

Namaste!

Biostatistics
Reference-Scaled
Average Bioequivalence
(Part I: HVDs/HVDPs)

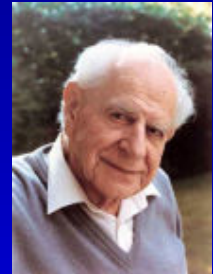
Helmut Schütz
BEBAC

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To bear in Remembrance...

Whenever a theory appears to you as the only possible one, take this as a sign that you have neither understood the theory nor the problem which it was intended to solve.

Karl R. Popper

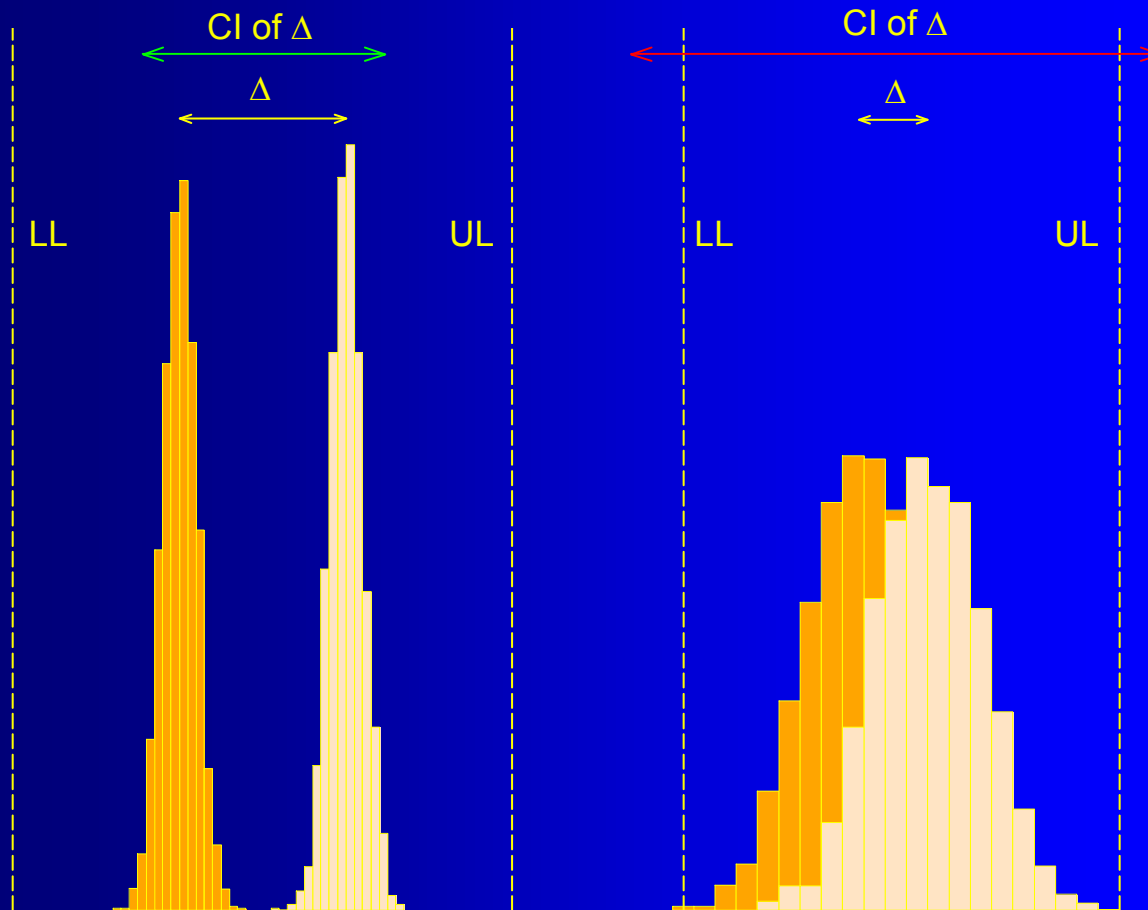


Even though it's *applied* science we're dealin' with, it still is – *science!*



Leslie Z. Benet

High variability



Modified from Fig. 1
Tothfálusi *et al.* (2009)

Counterintuitive
concept of BE:

Two formulations with
a large difference in
means are declared
bioequivalent if vari-
ances are low, but not
bioequivalent – even
if the difference is
quite small – due to
high variability.

High variability

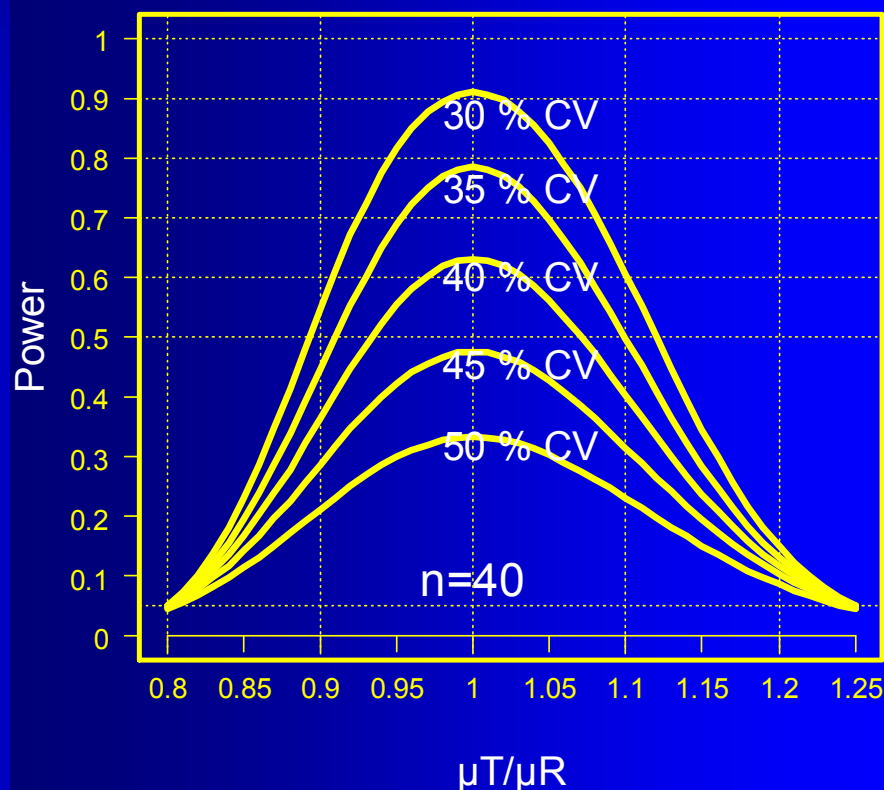
Power to show BE
with 40 subjects for
 CV_{intra} 30–50%

μ_T/μ_R 0.95, CV_{intra} 30%
→ power 0.816

μ_T/μ_R 1.00, CV_{intra} 45%
→ power 0.476 <
Roulette 0.486 (!)

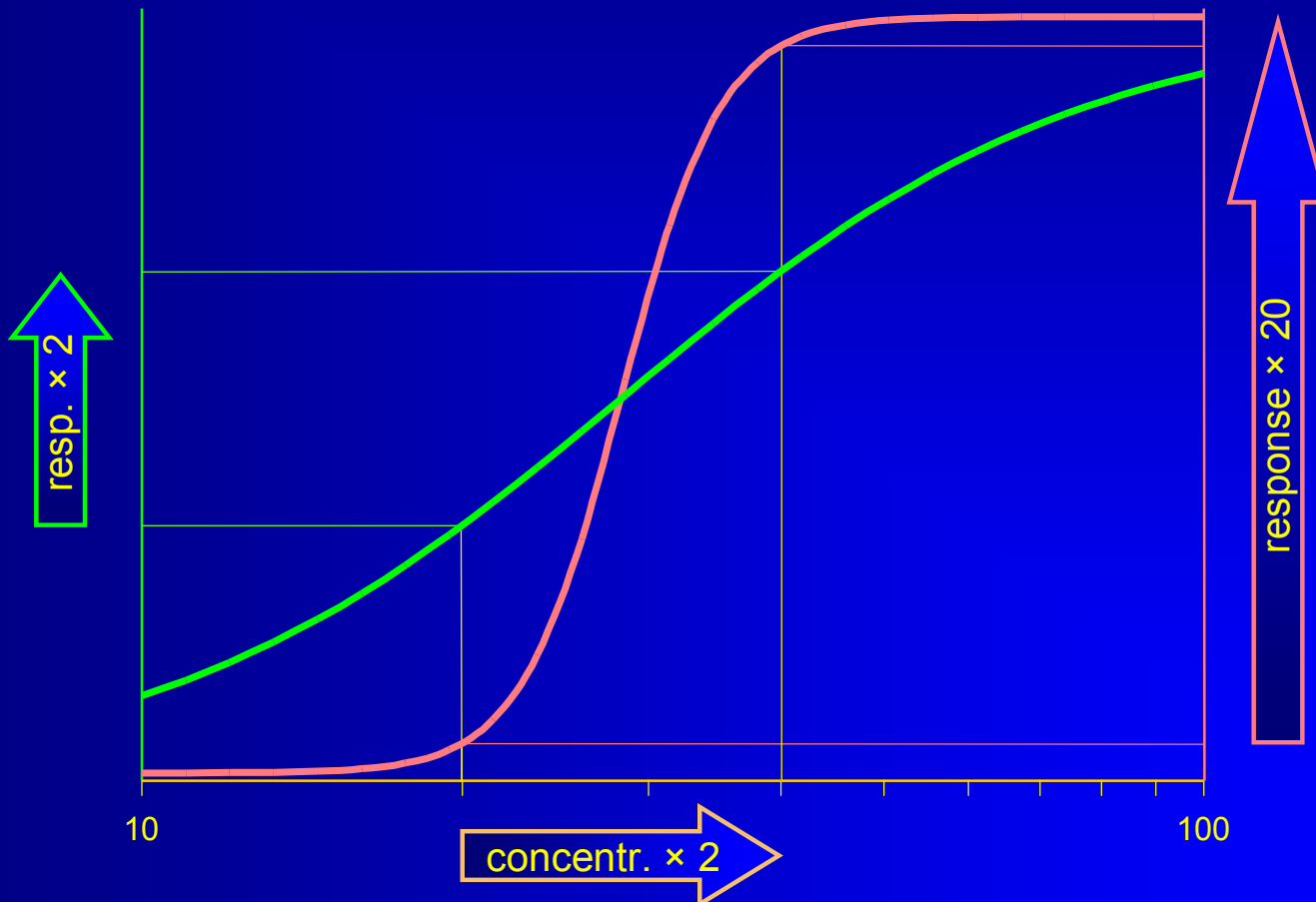
μ_T/μ_R 0.95, CV_{intra} 50%
→ n=98 (power 0.803)

2×2 Cross-over



HVDs/HVDPs are safe

steep/flat PK/PD-curves



HVDPs (FDA)

- All (!) ANDAs submitted to FDA/OGD 2003 – 2005 (1010 studies, 180 drugs)
 - 31% (57/180) highly variable ($CV \geq 30\%$).
 - of these HVDs/HVDPs,
 - 60% due to PK (e.g., first pass metabolism),
 - 20% formulation performance,
 - 20% unclear.

Davit BM, Conner DP, Fabian-Fritsch B, Haidar SH, Jiang X, Patel DT, Seo PR, Suh K, Thompson CL, and LX Yu

Highly Variable Drugs: Observations from Bioequivalence Data Submitted to the FDA for New Generic Drug Applications

The AAPS Journal 10/1, 148–56 (2008)

<http://www.springerlink.com/content/51162107w327883r/fulltext.pdf>

HVDPs (FDA)

- Advisory Committee for Pharmaceutical Sciences (ACPS) to FDA (10/2006) on HVDs
- Follow-up papers in 2008 (ref. in API-GLs)
 - Replicate study design [TRR|RTR|RRT].
 - Reference Scaled Average Bioequivalence (RSABE).
 - Minimum sample size 24 subjects.
 - GMR restricted to [0.80,1.25].

Haidar SH, Davit B, Chen M-L, Conner D, Lee LM, Li QH, Lionberger R, Makhlouf F, Patel D, Schuirmann DJ, and LX Yu

Bioequivalence Approaches for Highly Variable Drugs and Drug Products

Pharmaceutical Research 25/1, 237–41 (2008)

<http://www.springerlink.com/content/u503p62056413677/fulltext.pdf>

Haidar SH, Makhlouf F, Schuirmann DJ, Hyslop T, Davit B, Conner D, and LX Yu

Evaluation of a Scaling Approach for the Bioequivalence of Highly Variable Drugs

The AAPS Journal, 10/3, (2008) DOI: [10.1208/s12248-008-9053-4](https://doi.org/10.1208/s12248-008-9053-4)

High variability

- For Highly Variable Drugs / Drug Products (HVDs/HVDPs) it may be almost impossible to show BE with a reasonable sample size.
- The common 2×2 cross-over design over assumes Independent Identically Distributions (IID), which may not hold. If *e.g.*, the variability of the reference is higher than the one of the test, one obtains a high common (pooled) variance and the test will be penalized for the ‘bad’ reference.

Hierarchy of Designs

- The more 'sophisticated' a design is, the more information can be extracted

- Hierarchy of designs:

Full replicate (TRTR | RTRT or TRT | RTR), ↗

Partial replicate (TRR | RTR | RRT) ↗

Standard 2×2 cross-over (RT | RT) ↗

Parallel (R | T)

- Variances which can be estimated:

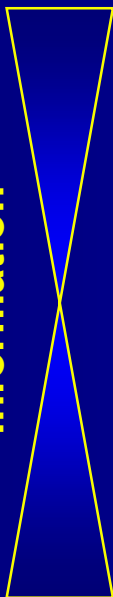
Parallel: total variance (between + within)

2×2 Xover: + between, within subjects ↗

Partial replicate: + within subjects (reference) ↗

Full replicate: + within subjects (reference, test) ↗

Information



Replicate designs

- Each subject is randomly assigned to sequences, where *at least one* of the treatments is administered *at least twice*
 - Not only the *global within-subject variability*, but also the *within-subject variability per treatment* may be estimated.
 - Smaller subject numbers compared to a standard $2 \times 2 \times 2$ design – but outweighed by an increased number of periods. Note: Same overall number of individual treatments!

Replicate designs

- Any replicate design can be evaluated according to 'classical' (unscaled) Average Bioequivalence (ABE)
- ABE mandatory if scaling not allowed
 - FDA: $S_{WR} < 0.294$ ($CV_{WR} < 30\%$); different models depend on design (e.g., SAS `Proc MIXED` for full replicate and SAS `Proc GLM` for partial replicate).
 - EMA: $CV_{WR} \leq 30\%$; all fixed effects model according to 2011's Q&A-document preferred (e.g., SAS `Proc GLM`).
 - Even if scaling is not intended, replicate design give more informations about formulation(s).

Application: HVDs/HVDPs

- $CV_{WR} > 30\%$

- ✓ USA Recommended in API specific guidances. Scaling for AUC and/or C_{max} acceptable, GMR 0.80 – 1.25; ≥ 24 subjects.

- ± EU Widening of acceptance range (only C_{max}) to maximum of 69.84% – 143.19%), GMR 0.80 – 1.25.

Demonstration that $CV_{WR} > 30\%$ is not caused by outliers.

Justification that the widened acceptance range is clinically irrelevant.

Replicate designs

- Two-sequence three-period

T R T

R T R

- Two-sequence four-period

T R T R

R T R T

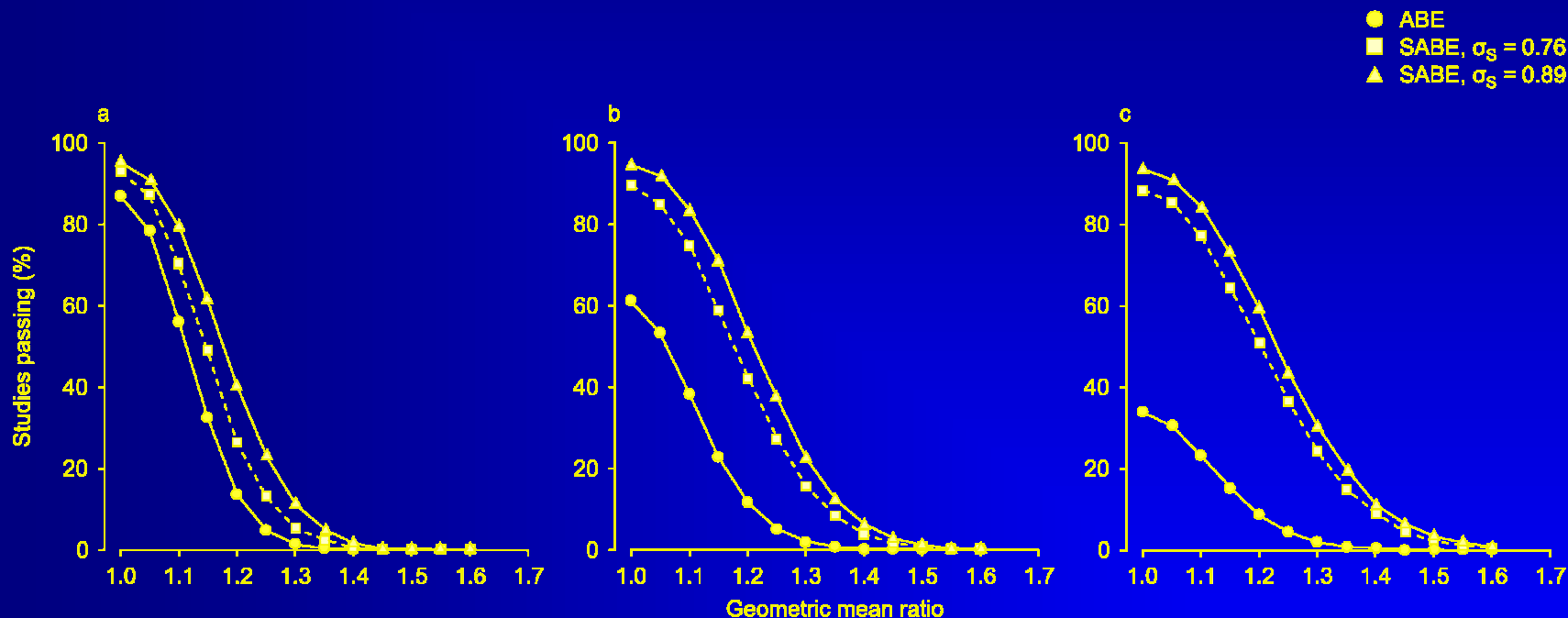
- and many others...

(FDA: TRR | RTR | RRT, aka 'partial replicate')

- The statistical model is complicated and depends on the actual design!

$$X_{ijkl} = \mu \cdot \pi_k \cdot \Phi_l \cdot s_{ij} \cdot e_{ijkl}$$

HVDPs (EMA vs. FDA)



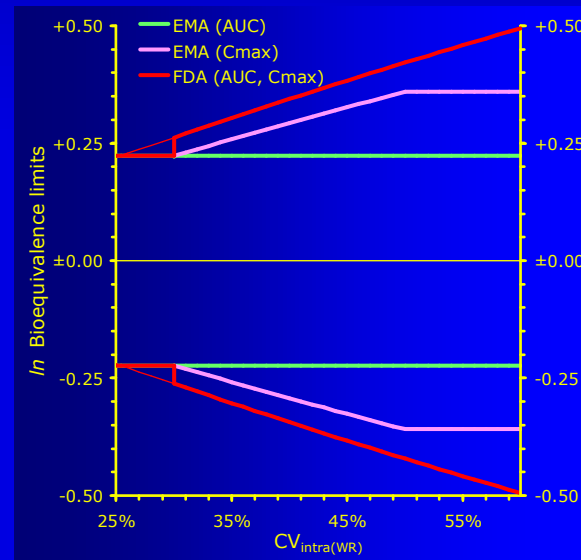
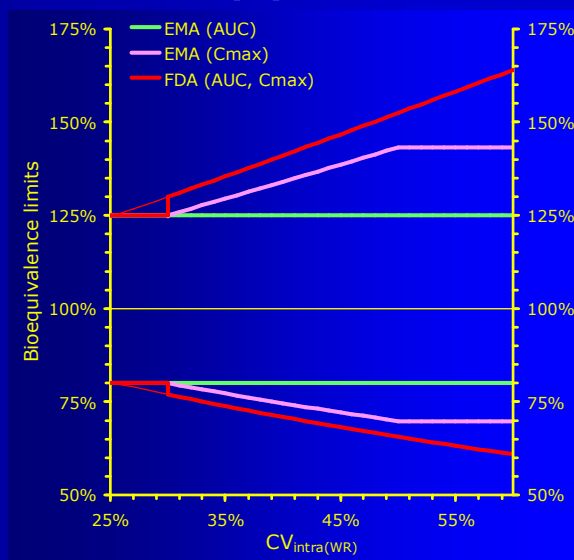
Tothfálusi *et al.* (2009), Fig. 3

Simulated ($n = 10\,000$) three-period full replicate design studies (TRT | RTR) in 36 subjects; GMR restriction 0.80–1.25. (a) CV = 35%, (b) CV = 45%, (c) CV = 55%.

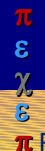
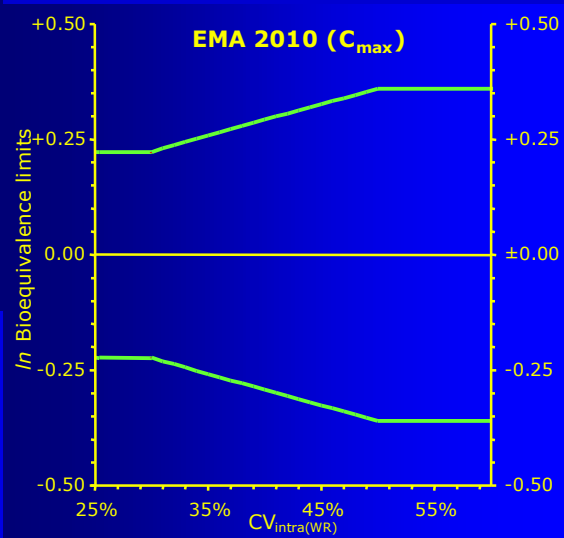
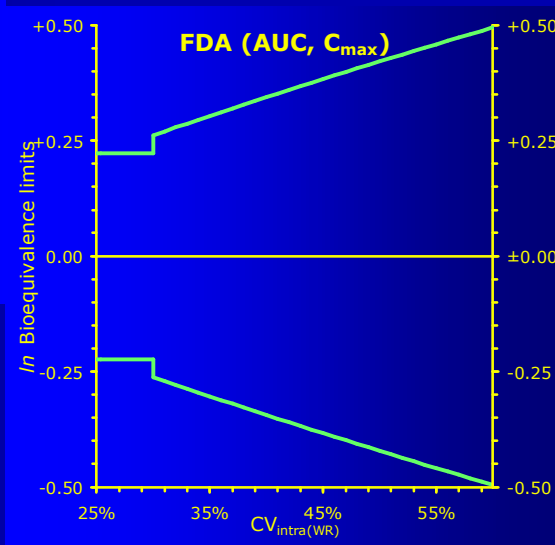
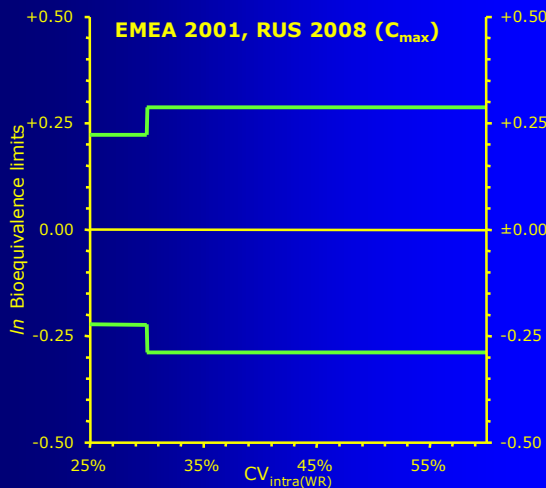
ABE: Conventional Average Bioequivalence, SABE: Scaled Average Bioequivalence, 0.76: EMA criterion, 0.89: FDA criterion.

HVDPs (EMA vs. FDA)

- EMA's and FDA's approaches differ; FDA's leads to a discontinuity of the acceptance range at CV 30%, because FDA's scaling CV is 25.83% (σ_{WR} 0.294) – but applied at $CV \geq 30\%$.



HVDPs (No Global Harmonization!)



Replicate designs

- Sample size and other issues
 - 4-period replicate designs:
sample size = $\sim 1/2$ of 2×2 study's sample size.
 - 3-period replicate designs:
sample size = $\sim 3/4$ of 2×2 study's sample size.
 - Number of treatments (and biosamples)
 \sim conventional 2×2 cross-over.
 - Allow for a safety margin – expect a higher number of drop-outs due to additional period(s).
 - Consider increased blood loss (ethics!); eventually improved bioanalytics required.

HVDPs (EMA vs. FDA)

- At higher CVs the GMR is of increasing importance!
- EMA: $CV_{WR} > 50\%$ still requires large sample sizes.
- No algorithm for sample size estimation (based on α , β , GMR, and CV) can deal with the GMR restriction.
- Recently sample size tables based on simulations were published (for EMA's and FDA's methods, full and partial replicate designs, CV_{WR} 30–80%, power 80 and 90%).

L Tothfálusi and L Endrényi

Sample Sizes for Designing Bioequivalence Studies for Highly Variable Drugs

J Pharm Pharmaceut Sci 15(1), 73–84 (2011)

<http://ejournals.library.ualberta.ca/index.php/JPPS/article/download/11612/9489>

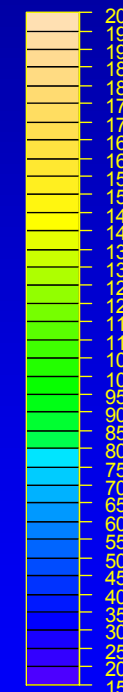
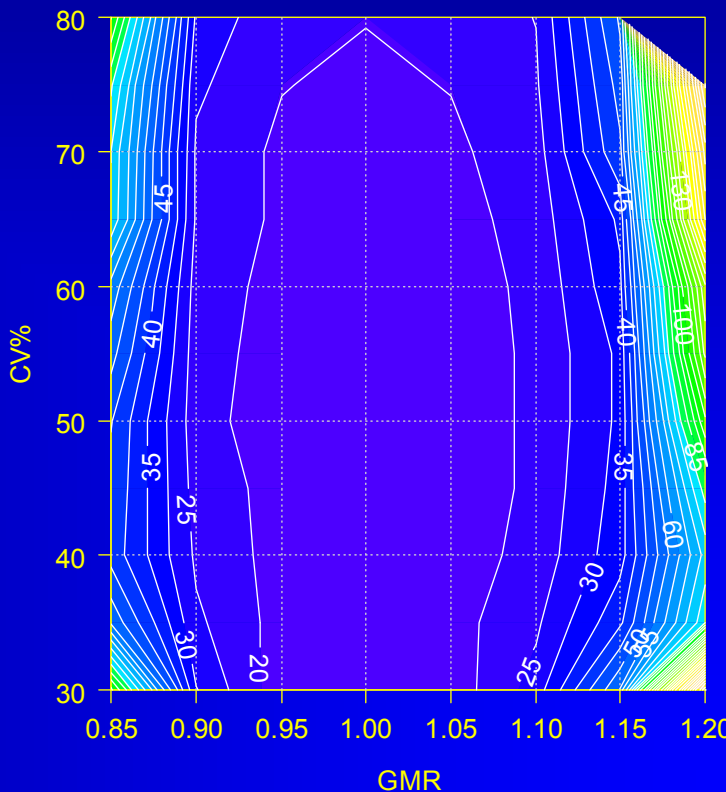
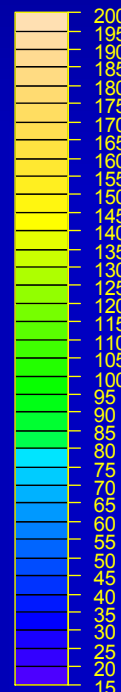
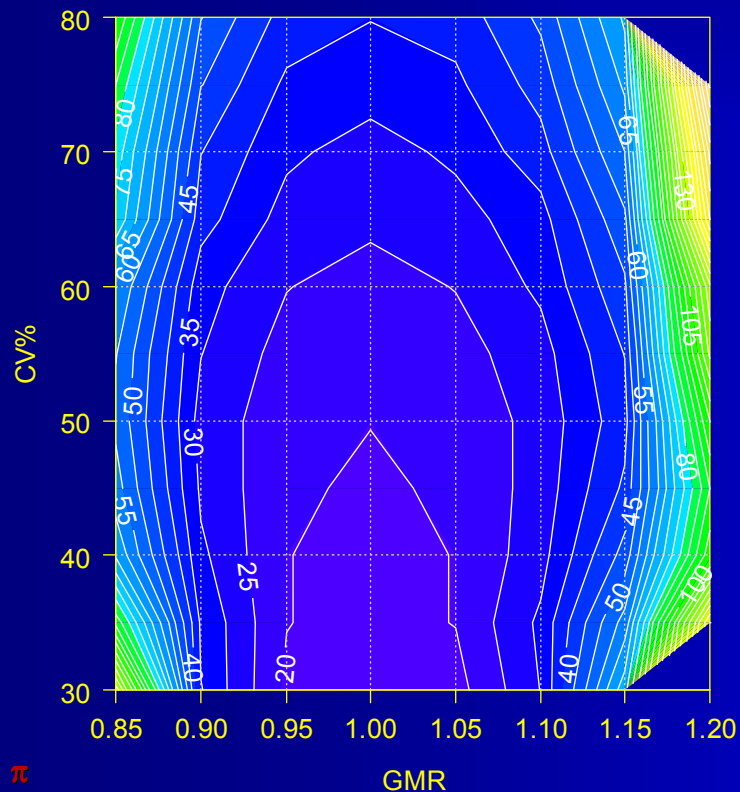
HVDPs (EMA/FDA; sample sizes)

RT|TR|TR, 80% power, EMA-method

sample size

RT|TR|TR, 80% power, FDA-method

sample size



HVDPs (Regulatory models)

- Common to EMA and FDA

ABE model

$$-\theta_A \leq \mu_T - \mu_R \leq +\theta_A$$

SABE model

$$-\theta_S \leq \frac{\mu_T - \mu_R}{\sigma_W} \leq +\theta_S$$

Regulatory switching condition θ_S is derived from the regulatory standardized variation σ_0 (proportionality between acceptance limits in ln-scale and σ_W in the highly variable region).

Tothfálusi *et al.* (2009)

HVDPs (Regular models)

- Differences between EMA and FDA

FDA: Regulatory regulatory switching condition θ_S is set to 0.893, which would translate into

$$CV_{WR} = 100 \sqrt{e^{\left(\frac{\ln(1.25)}{0.893}\right)^2} - 1} \approx 25.83\%$$

RSABE is allowed only if $CV_{WR} \geq 30\%$ ($s_{WR} \geq 0.294$), which explains to the discontinuity at 30%.

HVDPs (Regulatory models)

- Differences between EMA and FDA

EMA: Regulatory regulatory switching condition θ_S avoids the discontinuity.

$$CV_W = 0.30$$

$$\sigma_0 = \sqrt{\ln(CV_W^2 + 1)} = 0.2935603792085 \dots$$

$$\theta_S = \frac{\ln(1.25)}{\sigma_0} = -\frac{\ln(0.80)}{\sigma_0} \approx 0.760$$

HVDPs (FDA)

- Haidar *et al.* (2008), progesterone guid. (2010)

Starting from the SABE model

$$-\theta_S \leq \frac{\mu_T - \mu_R}{\sigma_W} \leq +\theta_S$$

Rearrangement leads to a linear form

$$(\mu_T - \mu_R)^2 - \theta_S^2 \cdot \sigma_W^2 \leq 0$$

Since we don't have the true parameters, we use estimates

$$E_m = (\mu_T - \mu_R)^2$$

$$E_s = \theta_S^2 \cdot \sigma_W^2$$

HVDPs (FDA)

- Haidar *et al.* (2008), progesterone guid. (2010)

Distributions of E_m and E_s are known and their upper confidence limits can be calculated

$$C_m = \left(|m_T - m_R| + t_{\alpha, N-S} \cdot SE \right)^2$$

$$C_s = \frac{\theta_S^2 \cdot (N - S) \cdot s_W^2}{\chi_{\alpha, N-S}^2}$$

t and χ^2 are the inverse cumulative distribution functions at α 0.05 and $N - S$ degrees of freedom (N subjects, S sequences). SE is the standard error of the difference between means.

HVDPs (FDA)

- Haidar *et al.* (2008), progesterone guid. (2010)
Howe method gets the CL from individual CIs

$$L_m = (C_m - E_m)^2$$

$$L_s = (C_s - E_s)^2$$

$$CL = E_m - E_s + \sqrt{L_m + L_s}$$

The CL of the rearranged SABE criterion is evaluated at the 95% level. If the upper 95% is positive, RSABE is rejected, and accepted otherwise.

HVDPs (EMA)

- EU GL on BE (2010)
 - Average Bioequivalence with Expanding Limits (ABEL)
 - The regulatory switching condition θ_S at CV_{WR} 30% would be 0.7601228297680...
 - According to the GLs and the EMA's Q&A document (2011, 2012) use k ($\equiv \theta_S$) with 0.760 (*not* the exact value).

HVDPs (EMA)

- EU GL on BE (2010)
 - Average Bioequivalence (ABE) with Expanding Limits (ABEL)
 - Based on σ_{WR} (the *intra*-subject standard deviation of the reference formulation) calculate the scaled acceptance range based on the regulatory constant k ($\theta_s=0.760$); limited at CV_{WR} 50%.

$$[L - U] = e^{\mp k \cdot \sigma_{WR}}$$

CV_{WR}	$L - U$
≤ 30	80.00 – 125.00
35	77.23 – 129.48
40	74.62 – 143.02
45	72.15 – 138.59
≥ 50	69.84 – 143.19

HVDPs (EMA)

- Q&A document (March 2011)
 - Two methods proposed (Method A preferred)
 - **Method A:** All effects fixed; assumes equal variances of test and reference, and no subject-by-formulation interaction; only a common within (*intra-*) subject variance is estimated.
 - **Method B:** Similar to A, but random effects for subjects. Common within (*intra-*) subject variance and between (*inter-*) subject variance are estimated.
 - **Outliers:** Boxplots (of model residuals?) suggested.

*Questions & Answers on the Revised EMA Bioequivalence Guideline
Summary of the discussions held at the 3rd EGA Symposium on Bioequivalence
June 2010, London
http://www.egagenerics.com/doc/EGA_BEQ_Q&A_WEB_QA_1_32.pdf*

Example datasets (EMA)

- Q&A document (March 2011)
 - Data set I
 - RTTR | TRTR full replicate, 77 subjects, imbalanced, incomplete
 - FDA
 - $s_{WR} 0.446 \geq 0.294 \rightarrow$ apply RSABE ($CV_{WR} 46.96\%$)
 - a. critbound $-0.0921 \leq 0$ and
 - b. PE $115.46\% \subset 80.00-125.00\%$ ✓
 - EMA
 - $CV_{WR} 46.96\% \rightarrow$ apply ABEL ($> 30\%$)
 - Scaled Acceptance Range: 71.23–140.40%
 - Method A: 90% CI 107.11–124.89% \subset AR; PE 115.66% ✓
 - Method B: 90% CI 107.17–124.97% \subset AR; PE 115.73% ✓

Example datasets (EMA)

- Q&A document (March 2011)

- Data set II

TRR | RTR | RRT partial replicate, 24 subjects, balanced, complete

- FDA

s_{WR} 0.114 < 0.294 → apply ABE (CV_{WR} 11.43%)
90% CI 97.05–107.76 \subset AR (CV_{intra} 11.55%) ✓

- EMA

- CV_{WR} 11.17% → apply ABE ($\leq 30\%$)
 - Method A: 90% CI 97.32–107.46% \subset AR; PE 102.26% ✓
 - Method B: 90% CI 97.32–107.46% \subset AR; PE 102.26% ✓
 - A/B: CV_{intra} 11.86%

Outliers (EMA)

- EMA GL on BE (2010), Section 4.1.10
 - The applicant should justify that the calculated intra-subject variability is a reliable estimate and that it is not the result of outliers.
- EGA/EMA Q&A (2010)
 - Question:
How should a company proceed if outlier values are observed for the reference product in a replicate design study for a Highly Variable Drug Product (HVDP)?

Outliers (EMA)

- EGA/EMA Q&A (2010)

- Answer:

- The outlier cannot be removed from evaluation [...] but should not be taken into account for calculation of within-subject variability and extension of the acceptance range.

- An outlier test is not an expectation of the medicines agencies but outliers could be shown by a box plot. This would allow the medicines agencies to compare the data between them.

Outliers (EMA)

● Data set I (full replicate)

■ CV_{WR} 46.96%

EL 71.23–140.40%

Method A: 107.11–124.89%

Method B: 107.17–124.97%

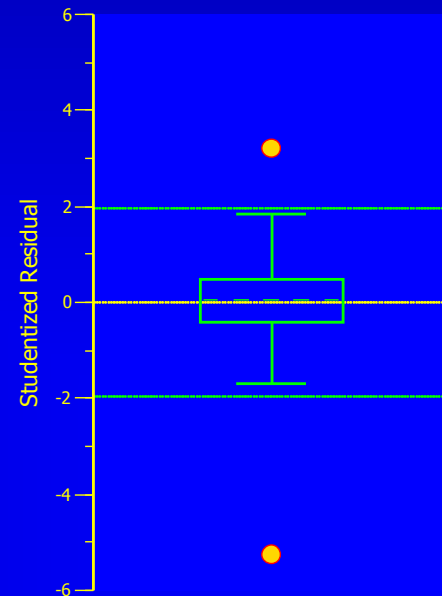
■ But there *are* two outliers!

By excluding subjects 45 and 52

CV_{WR} drops to 32.16%.

EL 78.79–126.93%

Almost no more gain compared to conventional limits.



Thank You!

Reference-Scaled Average Bioequivalence (Part I)

Open Questions?



Helmut Schütz

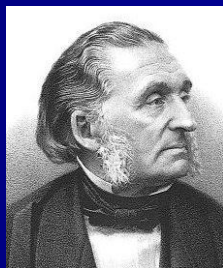
BEBAC

Consultancy Services for
Bioequivalence and Bioavailability Studies
1070 Vienna, Austria

helmut.schuetz@bebac.at

To bear in Remembrance...

The fundamental cause of trouble in the world today is that the stupid are cocksure while the intelligent are full of doubt. *Bertrand Russell*



You should treat as many patients as possible with the new drugs while they still have the power to heal. *Armand Trousseau*

If you shut your door to all errors truth will be shut out. *Rabindranath Tagore*



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 The AAPS Journal 14/4, 915–24 (2012)
[DOI: 10.1208/s12248-012-9406-x](https://doi.org/10.1208/s12248-012-9406-x)

SAS code (EMA)

Method A

```

proc glm data=replicate;
  class formulation subject period sequence;
  model logDATA= sequence subject(sequence) period formulation;
  estimate "test-ref" formulation -1+1;
  test h=sequence e=subject(sequence);
  lsmeans formulation / adjust=t pdiff=control("R") CL alpha=0.10;
run;

```

Method B

```

proc mixed data=replicate;
  class formulation subject period sequence;
  model logDATA= sequence period formulation;
  random subject(sequence);
  estimate "test-ref" formulation -1 1 / CL alpha=0.10;
run;

```

CV_{WR} (both methods)

```

data var;
  set replicate;
  if formulation='R';
run;
proc glm data=var;
  class subject period sequence;
  model logDATA= sequence subject(sequence) period;
run;

```



SAS code (FDA)

Partial reference-replicated 3-way design

```
data test;
  set pk;
  if trt='T';
  latt=lauct;
run;

data ref1;
  set ref;
  if (seq=1 and per=2) or (seq=2 and per=1) or (seq=3 and per=1);
  lat1r=lauct;
run;

data ref2;
  set ref;
  if (seq=1 and per=3) or (seq=2 and per=3) or (seq=3 and per=2);
  lat2r=lauct;
run;

data ref2;
  set ref;
  if (seq=1 and per=3) or (seq=2 and per=3) or (seq=3 and per=2);
  lat2r=lauct;
run;
```


SAS code (FDA)

Partial reference-replicated 3-way design (cont'd)

```
proc glm data=scavbe;
  class seq;
  model ilat=seq/clparm alpha=0.1;
  estimate 'average' intercept 1 seq 0.3333333333 0.3333333333 0.3333333333;
  ods output overallanova=iglm1;
  ods output Estimates=iglm2;
  ods output NObs=iglm3;
  title1 'scaled average BE';
run;
```

```
pointest=exp(estimate);
x=estimate**2-stderr**2;
boundx=(max((abs(LowerCL)), (abs(UpperCL))))**2;
```

```
proc glm data=scavbe;
  class seq;
  model dlat=seq;
  ods output overallanova=dglm1;
  ods output NObs=dglm3;
  title1 'scaled average BE';
run;
```

```
dfd=df;
s2wr=ms/2;
```



SAS code (FDA)

Partial reference-replicated 3-way design (cont'd)

```
theta=((log(1.25))/0.25)**2;  
y=-theta*s2wr;  
boundy=y*dfd/cinv(0.95,dfd);  
SWR=sqrt(s2wr);  
critbound=(x+y)+sqrt(((boundx-x)**2)+((boundy-y)**2));
```

Apply RSABE if $SWR \geq 0.294$

RSABE if

- a. $critbound \leq 0$ and
- b. $0.8000 \leq pointest \leq 1.2500$

If $SWR < 0.294$, apply conventional (unscaled ABE), mixed effects model.

ABE if 90% CI within 0.8000 and 1.2500.

SAS code (FDA)

Fully replicated 4-way design

```
data test1;  
  set test;  
  if (seq=1 and per=1) or (seq=2 and per=2);  
  lat1t=lauct;  
run;
```

```
data test2;  
  set test;  
  if (seq=1 and per=3) or (seq=2 and per=4);  
  lat2t=lauct;  
run;
```

```
data ref1;  
  set ref;  
  if (seq=1 and per=2) or (seq=2 and per=1);  
  lat1r=lauct;  
run;
```

```
data ref2;  
  set ref;  
  if (seq=1 and per=4) or (seq=2 and per=3);  
  lat2r=lauct;  
run;
```

SAS code (FDA)

Fully replicated 4-way design (cont'd)

```

data scavbe;
  merge test1 test2 ref1 ref2;
  by seq subj;
  ilat=0.5*(lat1t+lat2t-lat1r-lat2r);
  dlat=lat1r-lat2r;
run;

proc mixed data=scavbe;
  class seq;
  model ilat =seq/ddfm=satterth;
  estimate 'average' intercept 1 seq 0.5 0.5/e c1 alpha=0.1;
  ods output CovParms=iout1;
  ods output Estimates=iout2;
  ods output NObs=iout3;
  title1 'scaled average BE';
  title2 'intermediate analysis - ilat, mixed';
run;

pointest=exp(estimate);
x=estimate**2-stderr**2;
boundx=(max((abs(lower)), (abs(upper))))**2;

```

SAS code (FDA)

Fully replicated 4-way design (cont'd)

```
proc mixed data=scavbe;
  class seq;
  model dlat=seq/ddfm=satterth;
  estimate 'average' intercept 1 seq 0.5 0.5/e c1 alpha=0.1;
  ods output CovParms=dout1;
  ods output Estimates=dout2;
  ods output NObs=dout3;
  title1 'scaled average BE';
  title2 'intermediate analysis - dlat, mixed';
run;
```

```
s2wr=estimate/2;
dfd=df;
```

```
theta=((log(1.25))/0.25)**2;
y=-theta*s2wr;
boundy=y*dfd/cinv(0.95,dfd);
SWR=sqrt(s2wr);
critbound=(x+y)+sqrt(((boundx-x)**2)+((boundy-y)**2));
```

SAS code (FDA)

Unscaled 90% BE confidence intervals (applicable if critbound>0)

```
PROC MIXED
  data=pk;
  CLASSES SEQ SUBJ PER TRT;
  MODEL LAUCT = SEQ PER TRT/ DDFM=SATTERTH;
  RANDOM TRT/TYPE=FA0(2) SUB=SUBJ G;
  REPEATED/GRP=TRT SUB=SUBJ;
  ESTIMATE 'T vs. R' TRT 1 -1/CL ALPHA=0.1;
  ods output Estimates=unsc1;
  title1 'unscaled BE 90% CI - guidance version';
  title2 'AUct';
run;

data unsc1;
  set unsc1;
  unscabe_lower=exp(lower);
  unscabe_upper=exp(upper);
run;
```

Example datasets (EMA)

- Q&A document (Dec 2012, March 2011)
 - Data set I
4-period 2-sequence (RTRT | TRTR) full replicate, imbalanced (77 subjects), incomplete (missing periods: two periods in two cases, one period in six cases).
 - Data set II
3-period 3-sequence (TRR | RTR | RRT) partial replicate, balanced (24 subjects), complete (all periods).
 - Download in Excel 2000 format:
http://bebac.at/downloads/Validation_Replicate_Design_EMA.xls