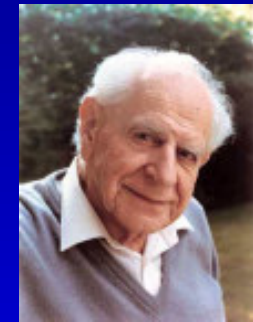


Basic Designs for Bioequivalence Studies

Helmut Schütz
BEBAC

To bear in Remembrance...

Whenever a theory appears to you as the only possible one, take this as a sign that you have neither understood the theory nor the problem which it was intended to solve.



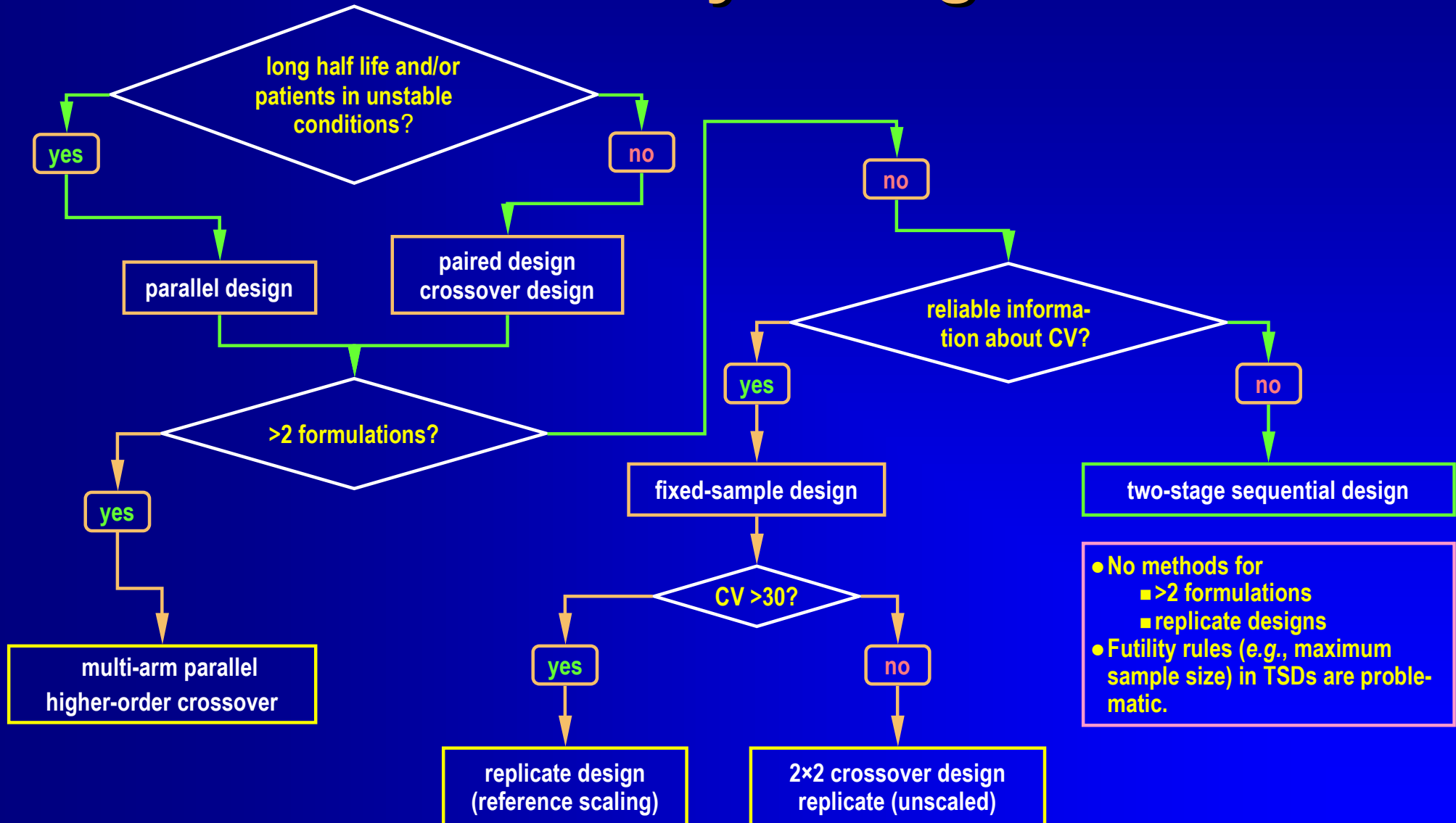
Karl R. Popper

Even though it's *applied* science we're dealin' with, it still is – *science!*



Leslie Z. Benet

BE Study Designs



BE Study Designs

- The more ‘sophisticated’ a design is, the more information can be extracted.

- Hierarchy of designs:

Full replicate (TRTR | RTRT or TRT | RTR) ↗

Partial replicate (TRR | RTR | RRT) ↗

2×2×2 crossover (TR | RT) ↗

Parallel (R | T)

- Variances which can be estimated:

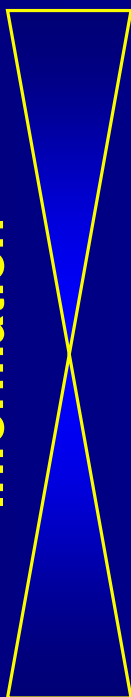
Parallel: total variance (between + within subjects)

2×2×2 Xover: + between, within subjects ↗

Partial replicate: + within subjects (reference) ↗

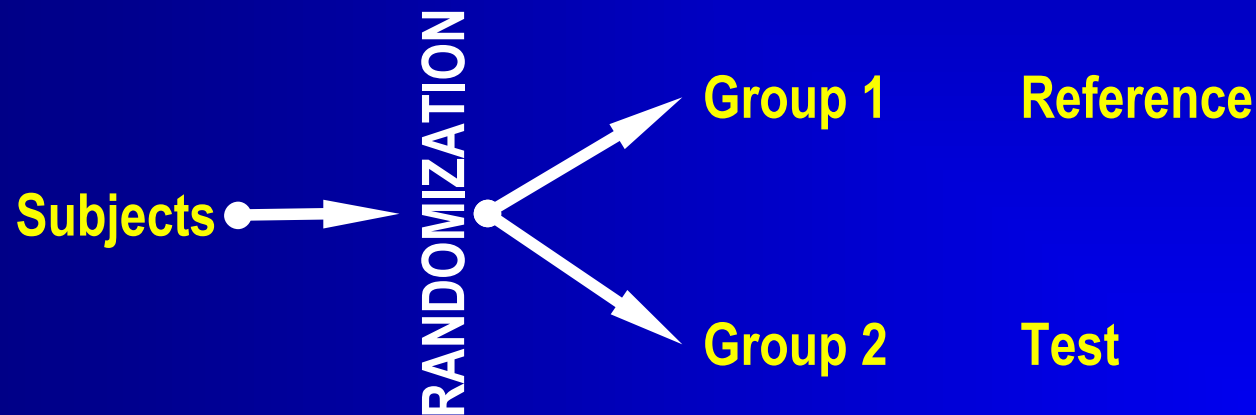
Full replicate: + within subjects (reference, test) ↗

Information



Parallel Designs

- Two-Group Parallel Design



Parallel Designs (cont'd)

● Two-Group Parallel Design

■ Advantages

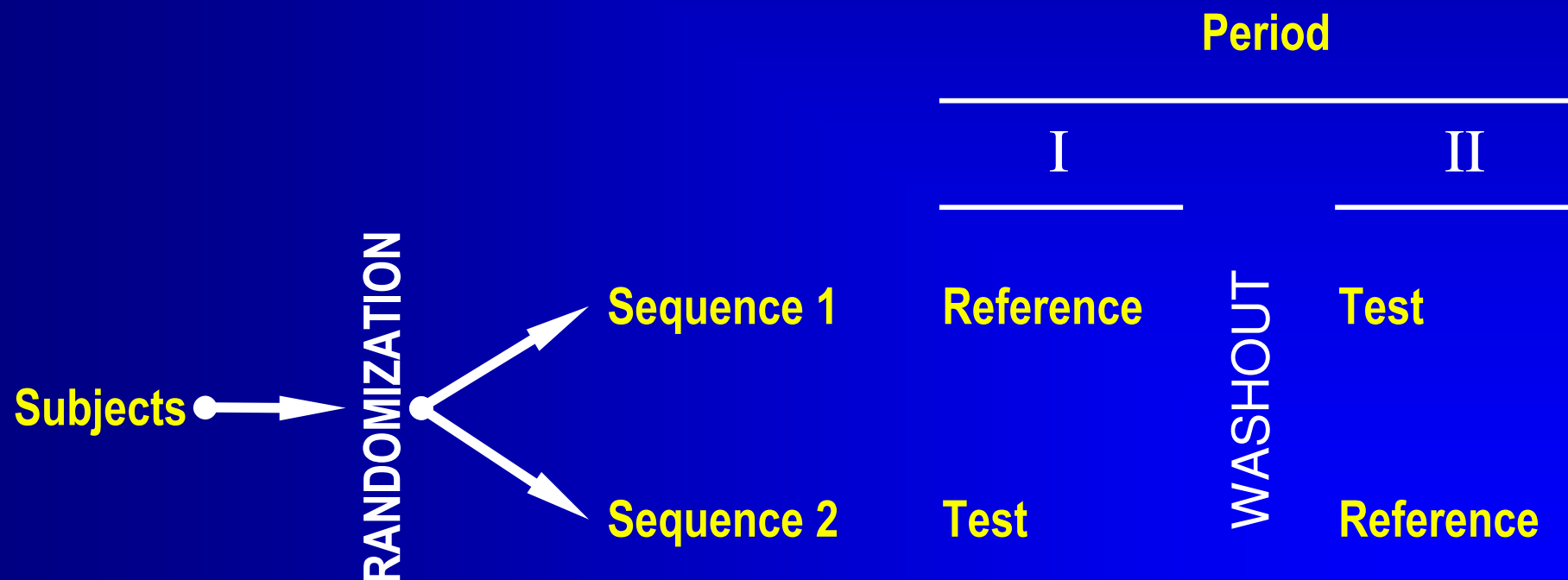
- Clinical part – *sometimes* – faster than crossover.
- Straightforward statistical analysis.
- Drugs with long half life.
- Potentially toxic drugs or effect and/or AEs unacceptable in healthy subjects.
- Studies in patients, where the condition of the disease irreversibly changes.

■ Disadvantages

- Lower statistical power than crossover – high sample sizes.
- Tight inclusion-/exclusion criteria to reduce between-subject variability.
- Phenotyping mandatory for drugs showing polymorphism.

Crossover Designs

- **Standard 2×2×2 Design**
(Two Treatments, Two Periods, Two Sequences)



Crossover Designs: Model

Multiplicative Model (without carryover)

$$\ln(X_{ijk}) = \ln(\mu) + \ln(\pi_k) + \ln(\Phi_l) + \ln(s_{ik}) + \ln(e_{ijk})$$

$$X_{ijk} = \mu \cdot \pi_k \cdot \Phi_l \cdot s_{ik} \cdot e_{ijk}$$

X_{ijk} : response of j -th subject ($j=1, \dots, n_i$) in i -th sequence ($i=1, 2$) and k -th period ($k=1, 2$), μ : global mean, μ_l : expected formulation means ($l=1, 2$: $\mu_1 = \mu_{test}$, $\mu_2 = \mu_{ref.}$), π_k : fixed period effects, Φ_l : fixed formulation effects ($l=1, 2$: $\Phi_1 = \Phi_{test}$, $\Phi_2 = \Phi_{ref.}$)

Crossover Designs: Assumptions

Multiplicative Model (without carryover)

$$X_{ijk} = \mu \cdot \pi_k \cdot \Phi_l \cdot s_{ik} \cdot e_{ijk}$$

- All $\ln\{s_{ik}\}$ and $\ln\{e_{ijk}\}$ are independently and normally distributed about unity with variances σ_s^2 and σ_e^2 .
 - This assumption may not hold true for all formulations; if the reference formulation shows *higher* variability than the test formulation, a ‘good’ test will be penalized for the ‘bad’ reference.
- All observations made on different subjects are independent.
 - This assumption should not be a problem, unless you plan to include twins or triplets in your study...

Crossover Designs (cont'd)

● Standard 2×2×2 design

■ Advantages

- Globally applied standard protocol for bioequivalence, drug-drug interaction, food effect studies.
- Straightforward statistical analysis.

■ Disadvantages

- Not suitable for studies in patients with instable diseases
→ parallel design
- Not optimal for drugs with long half life
→ parallel design
- Not optimal for highly variable drugs / drug products
→ replicate designs with reference-scaling

Crossover Designs (cont'd)

- Higher Order Designs (for more than two treatments)
 - Variance Balanced Designs (Williams' Designs)
 - For e.g., three formulations there are three possible pairwise differences among formulation means (*i.e.*, form. 1 vs. form. 2., form 2 vs. form. 3, and form. 1 vs. form. 3).
 - It is desirable to estimate these pairwise effects with the same degree of precision (there is a common variance for each pair).
 - Each formulation occurs only once with each subject.
 - Each formulation occurs the same number of times in each period.
 - The number of subjects who receive formulation i in some period followed by formulation j in the next period is the same for all $i \neq j$.

Crossover Designs (cont'd)

- Williams' Design for three treatments

| Sequence | Period | | |
|----------|----------------|----------------|----------------|
| | I | II | III |
| 1 | R | T ₂ | T ₁ |
| 2 | T ₁ | R | T ₂ |
| 3 | T ₂ | T ₁ | R |
| 4 | T ₁ | T ₂ | R |
| 5 | T ₂ | R | T ₁ |
| 6 | R | T ₁ | T ₂ |

Crossover Designs (cont'd)

● Williams' Designs

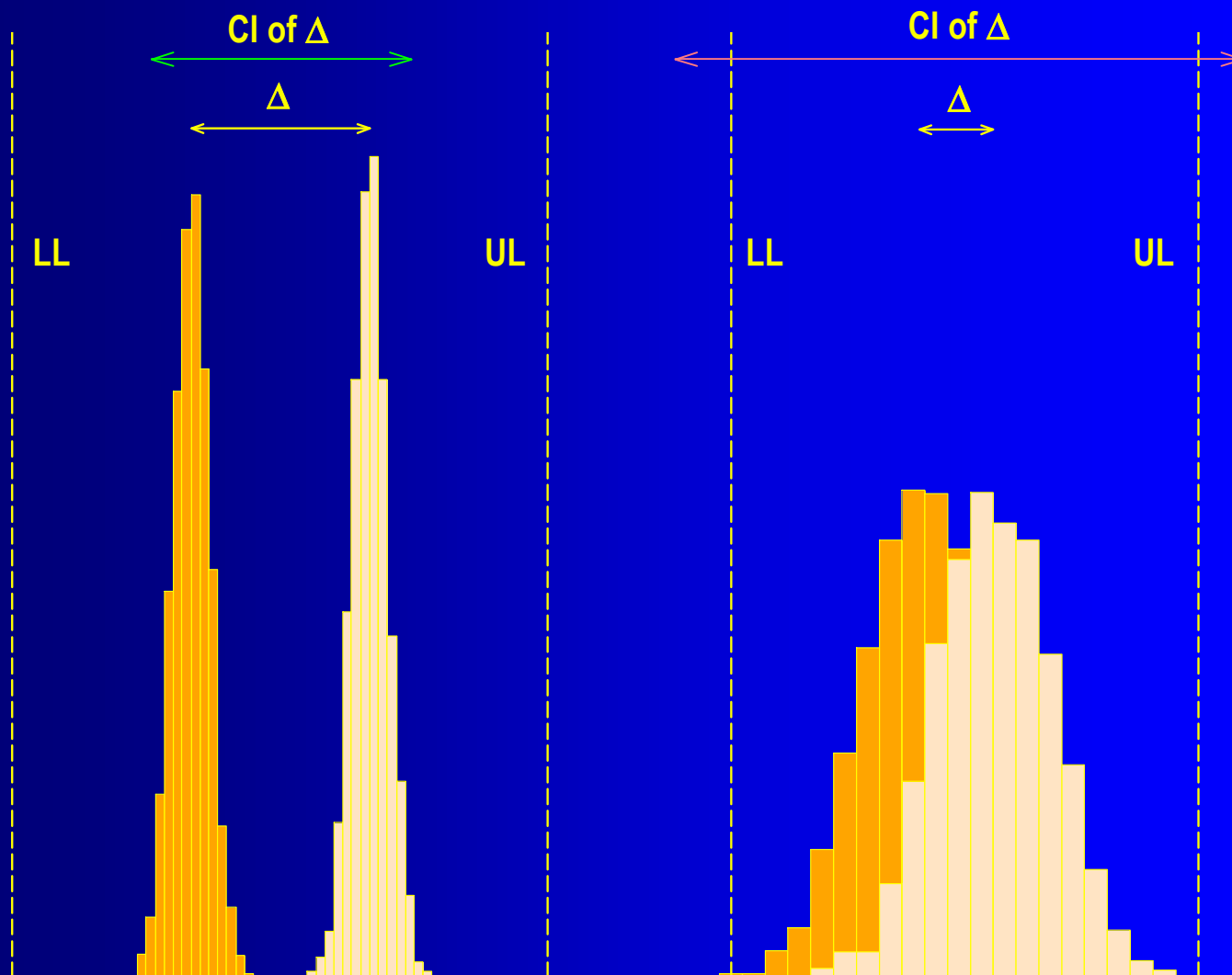
■ Advantages

- Allows to choose between two candidate test formulations or comparison of a test formulation with two references.
- Standard design for establishment of dose proportionality.
- Paired comparisons are balanced.
- Mentioned in EMA's and ANVISA's guidelines.

■ Disadvantages

- More sequences for an *odd* number of treatment needed than in a Latin Squares design (but equal for even number).
- Statistical analysis more complicated – not available in all software.
- *May* need measures against multiplicity (increasing the sample size).

High variability



Modified from Fig. 1
Tothfálusi *et al.* (2009)

Counterintuitive
concept of BE:

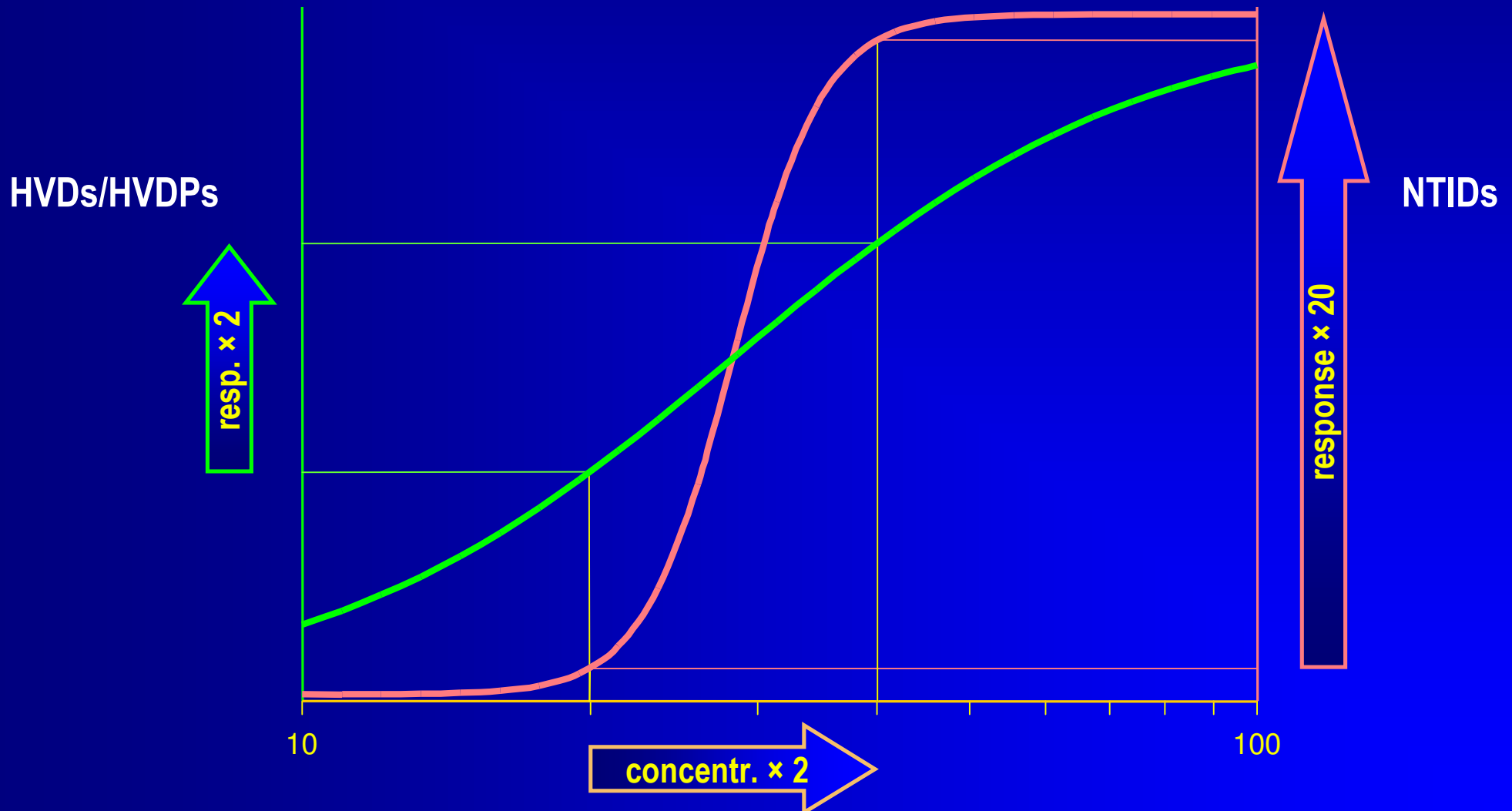
Two formulations with
a large difference in
means are declared
bioequivalent if vari-
ances are low, but not
bioequivalent – even if
the difference is quite
small – due to high
variability.

High variability

- **For Highly Variable Drugs / Drug Products (HVDs/HVDPs) it may be almost impossible to show BE with a reasonable sample size.**
 - **The common $2 \times 2 \times 2$ crossover design assumes Independent Identically Distributions (IID) – which may not be correct.**
 - **If the variability of the reference is higher than the one of the test, one obtains a high common (pooled) variance and the test will be penalized for the ‘bad’ reference.**

HVDs/HVDPs are safe

flat & steep PK/PD-curves



Replicate Designs

- Each subject is randomly assigned to sequences, where *at least one* of the treatments (generally the reference) is administered *at least twice*.
 - Not only the *global within-subject variability*, but also the *within-subject variability per treatment* may be estimated.
 - *Smaller* subject numbers compared to a standard $2 \times 2 \times 2$ design – but outweighed by an increased number of periods.
 - ~*Same* overall number of individual treatments (study costs directly related to number of biosamples)!

Replicate Designs

- Any replicate design can be evaluated for ‘classical’ (unscaled) Average Bioequivalence (ABE) as well.
- Mandatory if scaling not allowed.
 - FDA: $S_{WR} < 0.294$ ($CV_{WR} < 30\%$); different models depend on design (*i.e.*, SAS `PROC MIXED` for full replicate and `PROC GLM` for partial replicate).
 - EMA: $CV_{WR} \leq 30\%$; all fixed effects model according to 2011’s Q&A-document preferred (*e.g.*, SAS `PROC GLM`).
 - Even if scaling is not intended or applicable, replicate designs give more information about formulation(s).

Application: HVDs/HVDPs

- **Within-subject CV of the reference (CV_{WR}) >30 %**
 - ✓ **USA** Recommended in API specific guidances. Scaling for AUC and/or C_{max} acceptable, GMR 0.80 – 1.25; ≥ 24 subjects enrolled.
 - ± **EU** Widening of acceptance range (only C_{max}) to a maximum of 69.84 – 143.19%), GMR 0.80 – 1.25. Demonstration that $CV_{WR} > 30\%$ is not caused by outliers (box plots). Justification that the widened acceptance range is clinically not relevant (safety, efficacy). Not less than 12 subjects in sequence RTR.

Replicate Designs

- Two-sequence four-period
TRTR | RTRT
- Two-sequence three-period
TRT | RTR
- and many others...
(FDA: TRR | RTR | RRT, aka 'partial replicate')
- The statistical model is complicated and depends on the actual design!

$$X_{ijkl} = \mu \cdot \pi_k \cdot \Phi_l \cdot S_{ij} \cdot e_{ijkl}$$

HVDPs (EMA)

● EU GL on BE (2010)

■ Average Bioequivalence (AB) with Expanding Limits (EL) → “ABEL”

- Based on σ_{WR} (the *intra*-subject standard deviation of the reference formulation) calculate the scaled acceptance range based on the regulatory constant k ($\theta_s = 0.760$); limited at CV_{WR} 50%.

$$[L - U] = e^{\pm k \cdot \sigma_{WR}}$$

| CV_{WR} (%) | $L - U$ |
|---------------|----------------|
| ≤ 30 | 80.00 – 125.00 |
| 35 | 77.23 – 129.48 |
| 40 | 74.62 – 143.02 |
| 45 | 72.15 – 138.59 |
| ≥ 50 | 69.84 – 143.19 |

Patients' Risk?

- The Null-Hypothesis is modified 'in face of the data'
 - The acceptance range is not pre-specified (like in conventional ABE), but depends on the variability observed in the study.
 - Modifying H_0 generally requires adjustment of α in order to maintain the Type I Error $\leq 5\%$.
 - Inflation of the Type I Error known.^{1,2}
 - Recommendation: Use an adjusted α of 0.025 (95% CI) for full replicate designs and α of 0.030 (94% CI) for the partial replicate design.

1. Endrényi L, Tóthfalusi (2009)

Regulatory Conditions for the Determination of Bioequivalence of Highly Variable Drugs
J Pharm Pharmaceut Sci 12(1):138–49

2. Wonnemann M, Frömke C, Koch A (2015)

Inflation of the Type I Error: Investigations on Regulatory Recommendations for Bioequivalence of Highly Variable Drugs
Pharm Res 32(1):135–43 DOI: 10.1007/s11095-014-1450-z

Add-On / Two-Stage Designs

- Sometimes properly designed studies fail due to
 - ‘true’ bioinequivalence,
 - pure chance (producer’s risk),
 - poor study conduct (increasing variability),
 - **false** (mainly over-optimistic) **assumptions about the CV** and/or T/R -ratio – leading to a too small sample size (insufficient power).
- **Reminder:**
The chosen sample size is based on *assumptions...*

Add-On / Two-Stage Designs

- Dealing with *inconclusive* BE studies (confidence interval not entirely with the acceptance range)
 - Repeat the study in a larger sample size.
 - Perform a meta-analysis of more than one study. Only acceptable if at least one study demonstrates BE.
 - Recruit additional subjects and pool data. Problematic!
- Discussed at Bio-International Conferences (1989, 1992) and guidelines of the 1990s.
 - The patient's risk must be preserved!
 - Among rivaling methods the one with with the highest power should be selected.

Adaptive TS Sequential Designs

- Two 'Types' of Two-Stage Sequential Designs¹
 1. The *same* adjusted α is applied in both stages (regardless whether a study stops already in the first stage or proceeds to the second stage).
 - Based on Group Sequential Designs.
 - In publications called 'Method B'.
 2. An unadjusted α *may* be used in the first stage (dependent on interim power).
 - Based on conventional BE testing + GSD.
 - In publications called 'Method C, D, or C/D'.

1. Schütz H (2015)

Two-stage designs in bioequivalence trials

Eur J Clin Pharmacol 71(3):271–81 DOI: [10.1007/s00228-015-1806-2](https://doi.org/10.1007/s00228-015-1806-2)



Adaptive TS Sequential Designs

- The 94.12% CI (*i.e.*, an adjusted α of 0.0294) stated in the EMA's GL is *not* suitable to *all* designs.

| reference | Type | Method | T/R | target power | CV | α_{adj} | TIE _{max} | α_{adj}^1 | TIE _{max} ¹ |
|------------------------|------|--------|------|--------------|---------|----------------|--------------------|------------------|---------------------------------|
| Potvin <i>et al.</i> | 1 | B | 0.95 | 80% | 10–100% | 0.0294 | 0.0485 | 0.0302 | 0.0501 |
| | 2 | C | | | | | 0.0510 | 0.0282 | 0.0501 |
| Montague <i>et al.</i> | 1 | B | 0.90 | 80% | 10–100% | 0.0280 | 0.0518 | 0.0270 | 0.0500 |
| | 2 | D | | | | – | – | 0.0269 | 0.0502 |
| Fuglsang | 1 | B | 0.95 | 90% | 10–80% | 0.0284 | 0.0501 | 0.0286 | 0.0501 |
| | 2 | C/D | | | | 0.0274 | 0.0503 | 0.0278 | 0.0503 |
| | 1 | B | 0.90 | – | – | 0.0286 | 0.0501 | | |
| | 2 | C/D | 0.90 | 0.0269 | 0.0501 | 0.0267 | 0.0500 | | |

1. Schütz H, Labes D, Fuglsang A (in preparation 2015)

Modifications of 'Sequential design approaches for bioequivalence studies with crossover designs'

Evaluation

● Design

- The statistical model is defined.
- The α which preserves the patient's risk ≤ 0.05 and the Acceptance Range (AR) for BE are specified.

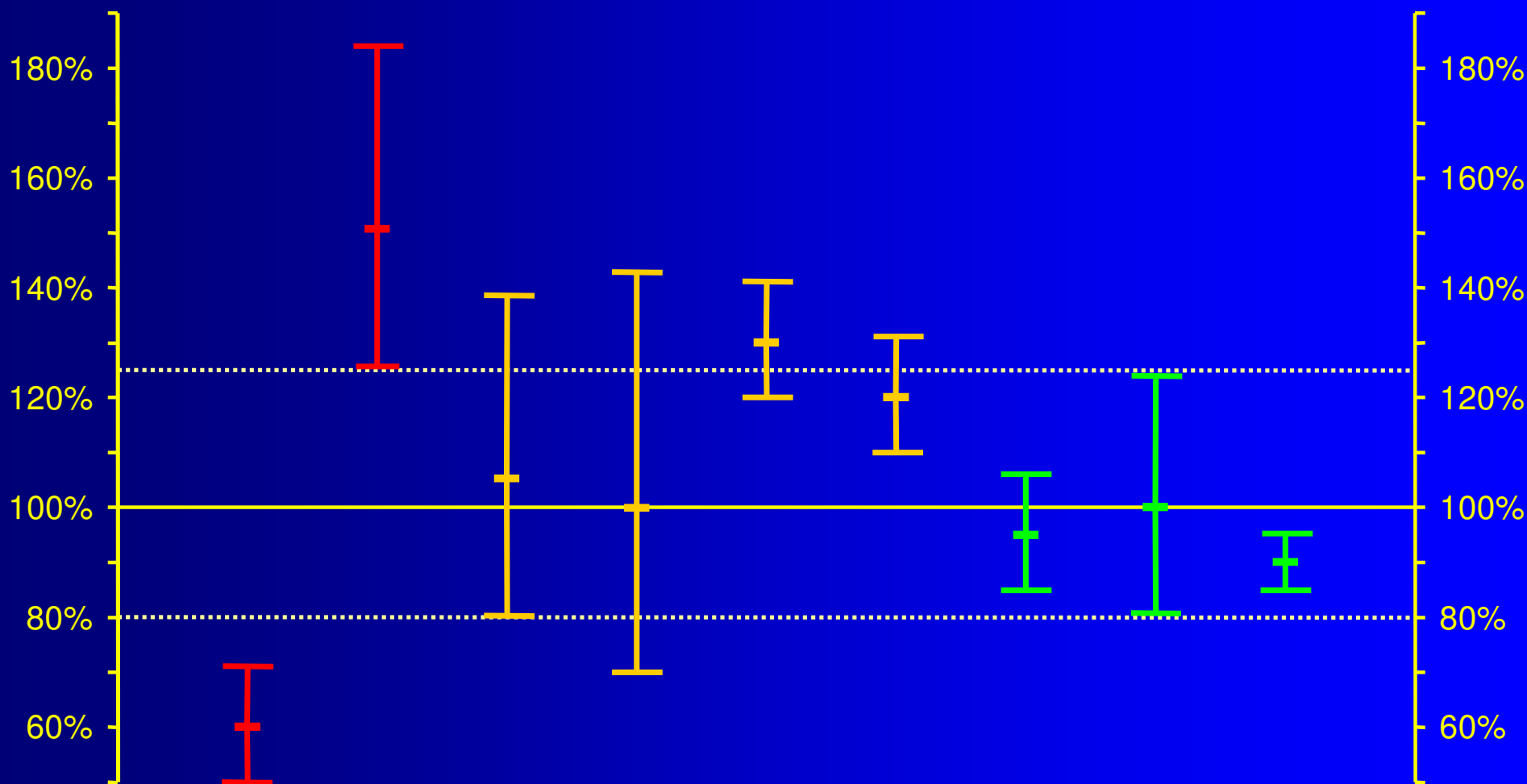
● Evaluation

- The test/reference ratio is calculated.
- The $100(1 - 2\alpha)\%$ confidence interval (CI) around the ratio is calculated.
 - The *width* of the CI depends on the variability observed in the study.
 - The *location* of the CI depends on the observed test/reference-ratio.

Assessment

- Decision based on the CI and the pre-specified AR
 - Generally a 20% difference between formulations is considered *clinically not relevant*. This leads to
$$L = 100(1 - \Delta), U = 100(1/L), [80 - 125\%]$$
 - CI *entirely outside* the AR:
Bioinequivalence proven
 - CI *overlaps* the AR (lies *not entirely within* the AR):
Bioequivalence not proven – indecisive
 - CI lies *entirely within* the AR:
Bioequivalence proven

Assessment



Thank You!

Basic Designs for BE Studies

Questions after the 2nd presentation, please.



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To bear in Remembrance...

To call the statistician after the experiment is done may be no more than asking him to perform a *post-mortem* examination: he may be able to say what the experiment died of.

Ronald A. Fisher



In bioequivalence we must not forget the only important – *the patient!* He/she is living person, not just $\alpha 0.05$.

Dirk Marteen Barends

It is a good morning exercise for a research scientist to discard a pet hypothesis every day before breakfast. It keeps him young.

Konrad Lorenz

