

Pharmacokinetic Analysis of BE Data

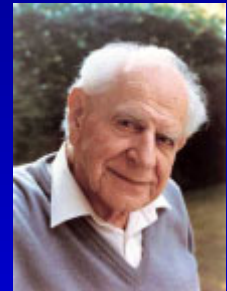
Helmut Schütz
BEBAC

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To bear in Remembrance...

Whenever a theory appears to you as the only possible one, take this as a sign that you have neither understood the theory nor the problem which it was intended to solve.

Karl R. Popper



Even though it's *applied* science we're dealin' with, it still is – *science!*

Leslie Z. Benet



NCA vs. PK Modeling

- Pharmacokinetic models
 - Useful for understanding the drug/formulation
 - Study design of BA/BE, e.g., washout, accumulation / saturation to steady state
 - Drawbacks
 - Almost impossible to validate (fine-tuning of side conditions, weighting schemes, software, ...)
 - Still a mixture of art and science
 - Impossible to recalculate any given dataset using different software – sometimes even different versions of the same software!
 - **Not acceptable for *evaluation* of BE studies!**

PK Modeling: AUC

- Based on integration of a PK model;
e.g., extravascular dose, one-compartment, no lag-time

$$C(t) = \frac{f \cdot D}{V} \frac{k_a}{k_a - k_{el}} \left(e^{k_{el}t} - e^{k_a t} \right)$$

$$AUC_{0-\infty} = \int_0^{\infty} C(t) dt = \frac{f \cdot D}{V} \frac{k_a}{k_a - k_{el}} \left(\frac{1}{k_{el}} - \frac{1}{k_a} \right) = \frac{f \cdot D}{V \cdot k_{el}} = \frac{f \cdot D}{CL}$$

NCA: Single Dose

- Noncompartmental methods do not rely on a PK (=compartmental) model
- Also known as SHAM (**S**hape, **H**eight, **A**rea, **M**oments)
 - Metrics (plasma, single dose)
 - Extent of absorption (EU...), total exposure (US): AUC (Area Under the Curve)
 - Rate of absorption (EU...), peak exposure (US): C_{max}
 - t_{max} (EU...)
 - Early exposure (US, CAN): $pAUC_{t_{max}}$; AUC truncated at population's (CAN: subject's) t_{max} of the reference
 - Others: C_{min} , **Fluctuation**, **MRT**, **Occupancy time**, t_{lag} , ...

NCA: AUC

- Since compartmental models not acceptable in BE, numeric approximation required
 - Linear trapezoidal rule¹
 - Lin-log trapezoidal rule^{1,2}
 - Lin-up/log-down trapezoidal rule
 - Cubic splines
 - Lagrange-polynomials
 - Simpson's rule

¹ Russian GL; only these two acceptable?

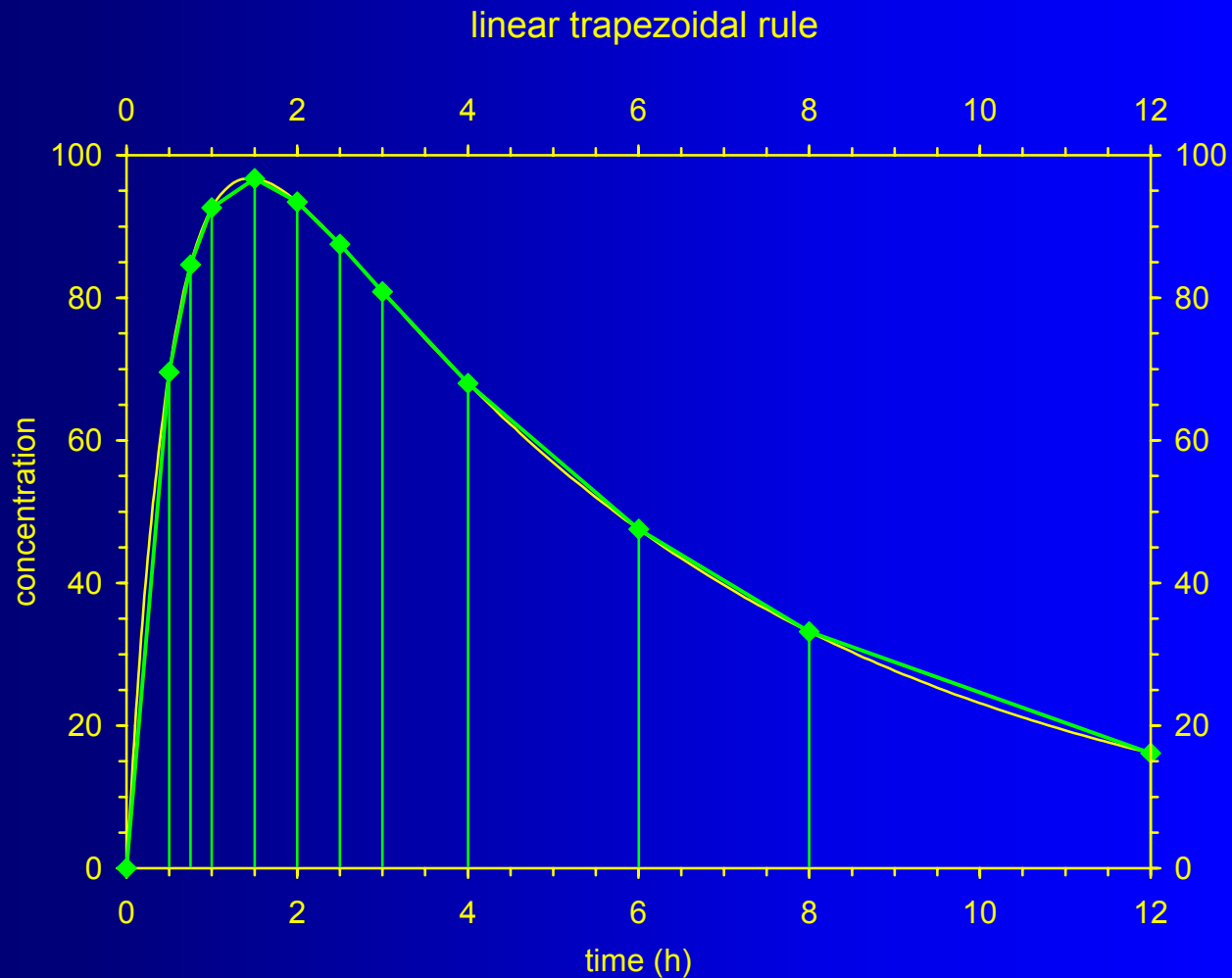
² WHO GL; only acceptable method?

NCA: AUC

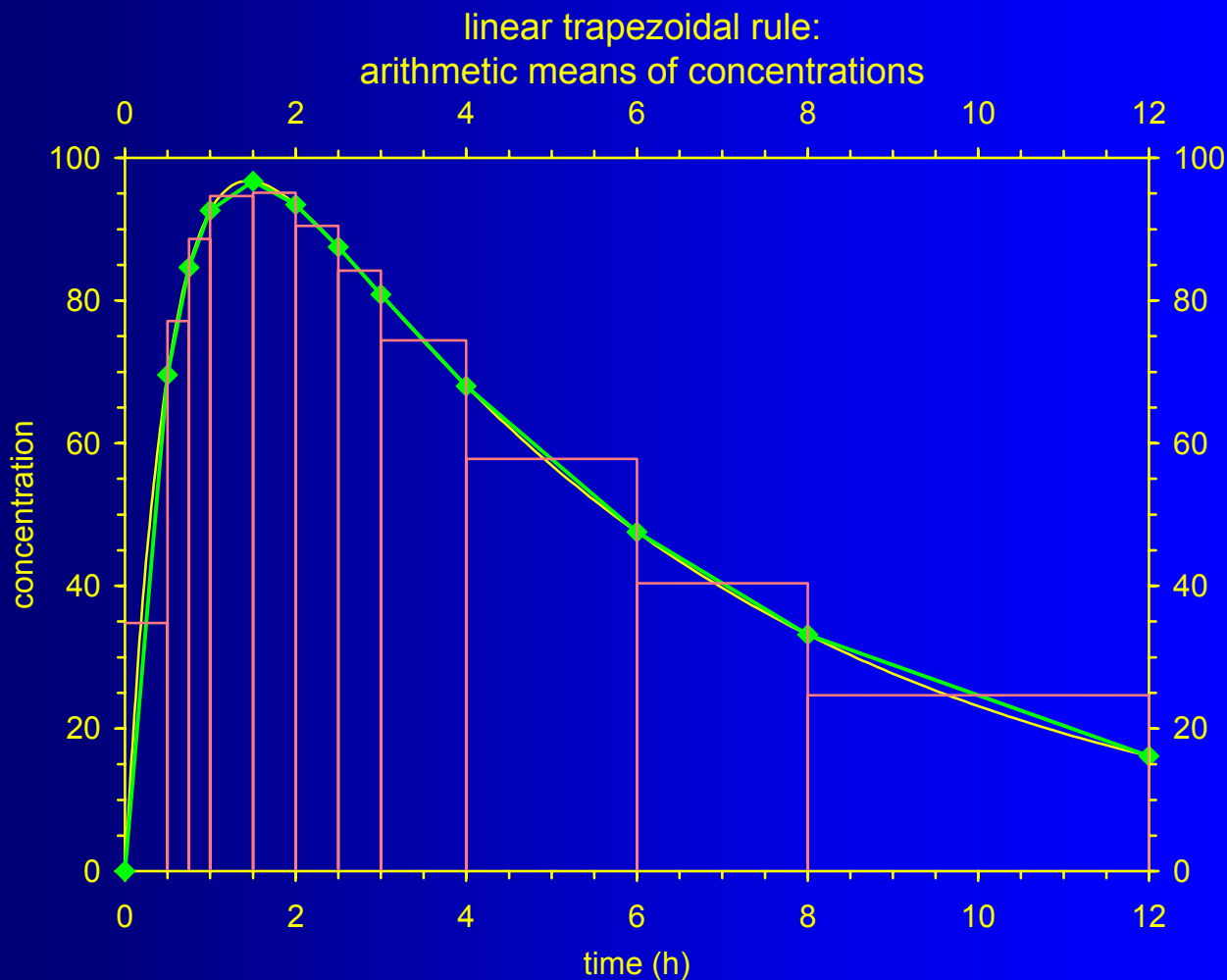
- Linear trapezoidal rule
 - Linear interpolation between data points
 - Sections represented as trapezoids
 - Sides a , b = neighbouring concentrations
 - Time interval h
 - Area of trapezoid $A = \frac{a+b}{2} h$
 - Total

$$AUC_{0-t_n} \approx \sum_{i=1}^{i=n-1} \frac{C_i + C_{i+1}}{2} (t_{i+1} - t_i) \approx \frac{1}{2} \sum_{i=1}^{i=n-1} (C_i + C_{i+1}) \cdot (t_{i+1} - t_i)$$

NCA: AUC



NCA: AUC



NCA: AUC

- Log-linear trapezoidal rule
 - Assumes exponential elimination
 - Log-linear interpolation between data points
 - Only valid for iv administration; sections in absorption phase underestimated if applied to ev
 - If $C = 0$ or subsequent concentrations are equal, section calculated by linear trapezoidal
 - Total

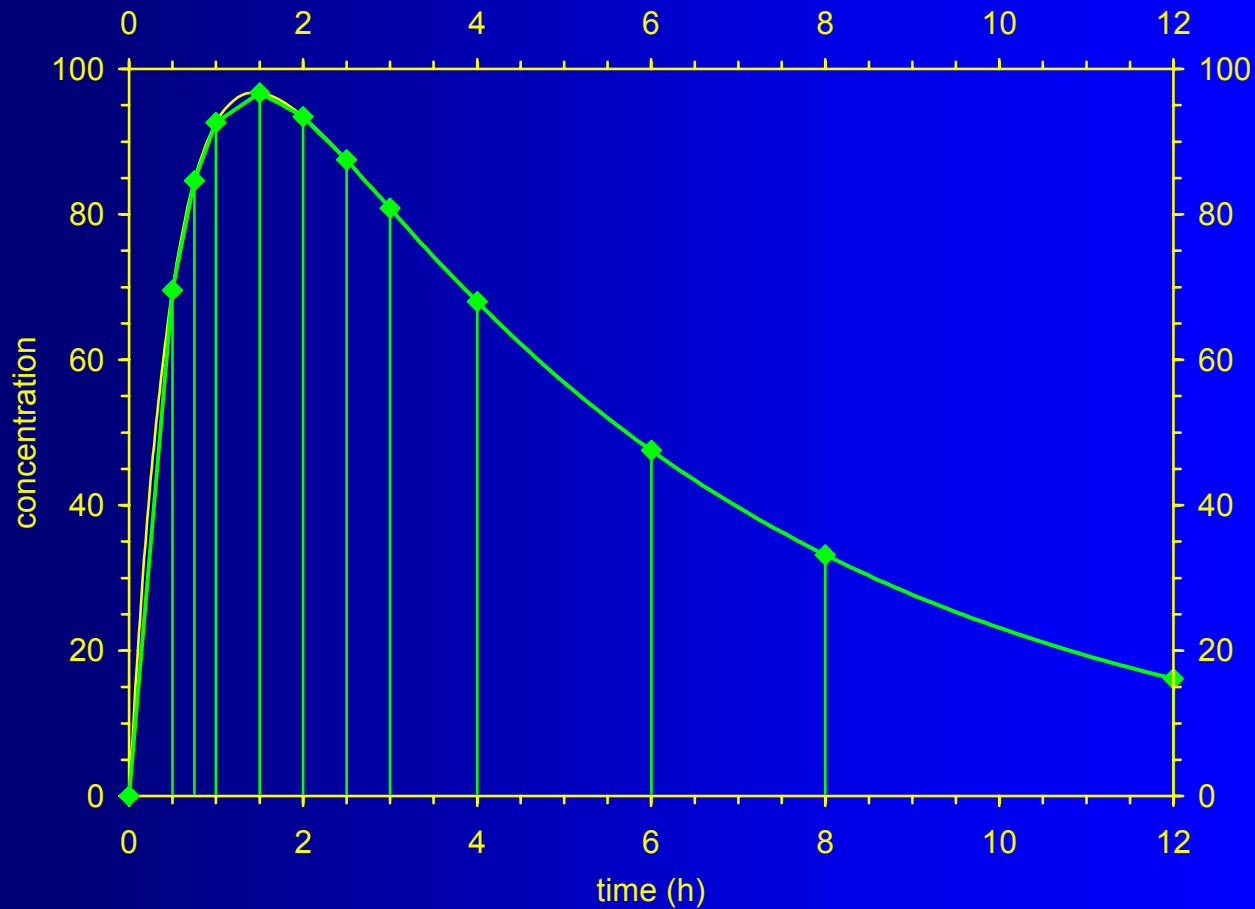
$$AUC_{0-t_n} \approx \sum_{i=1}^{i=n-1} \frac{C_{i+1} - C_i}{\ln \frac{C_{i+1}}{C_i}} (t_{i+1} - t_i)$$

NCA: AUC

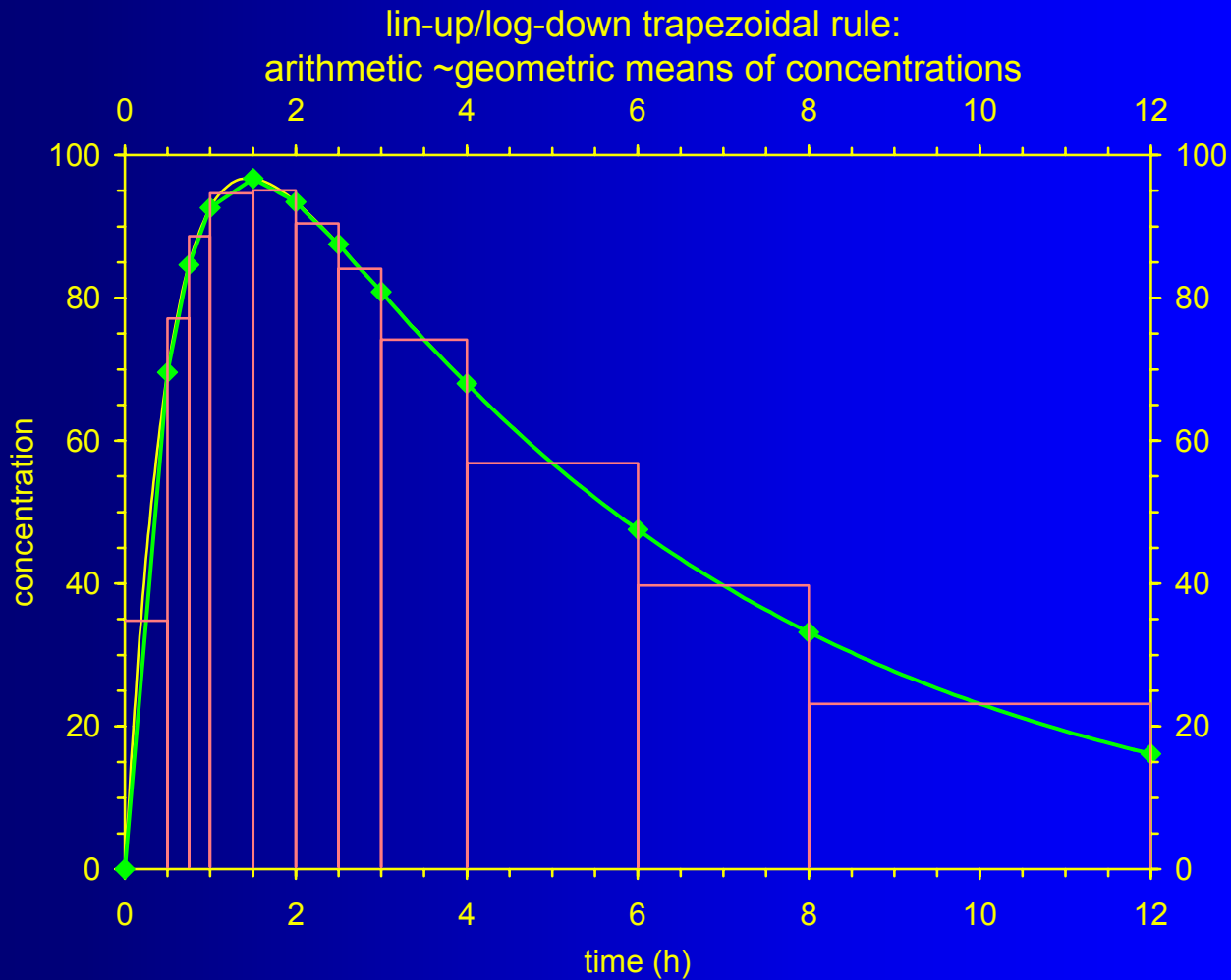
- Lin-up/log-down trapezoidal rule
 - Hybrid of linear and log-linear
 - Sections with *increasing or equal* concentrations ($C_{i+1} \geq C_i$) calculated by **linear trapezoidal** rule
 - Sections with *decreasing* concentrations ($C_{i+1} < C_i$) calculated by **log-linear** trapezoidal rule
 - Avoids bias in both absorption and distribution/elimination phases
 - Suitable for iv and ev
 - Suitable for multiphasic profiles

NCA: AUC

lin-up/log-down trapezoidal rule



NCA: AUC



Example 1

Model

AUC_R 697.8

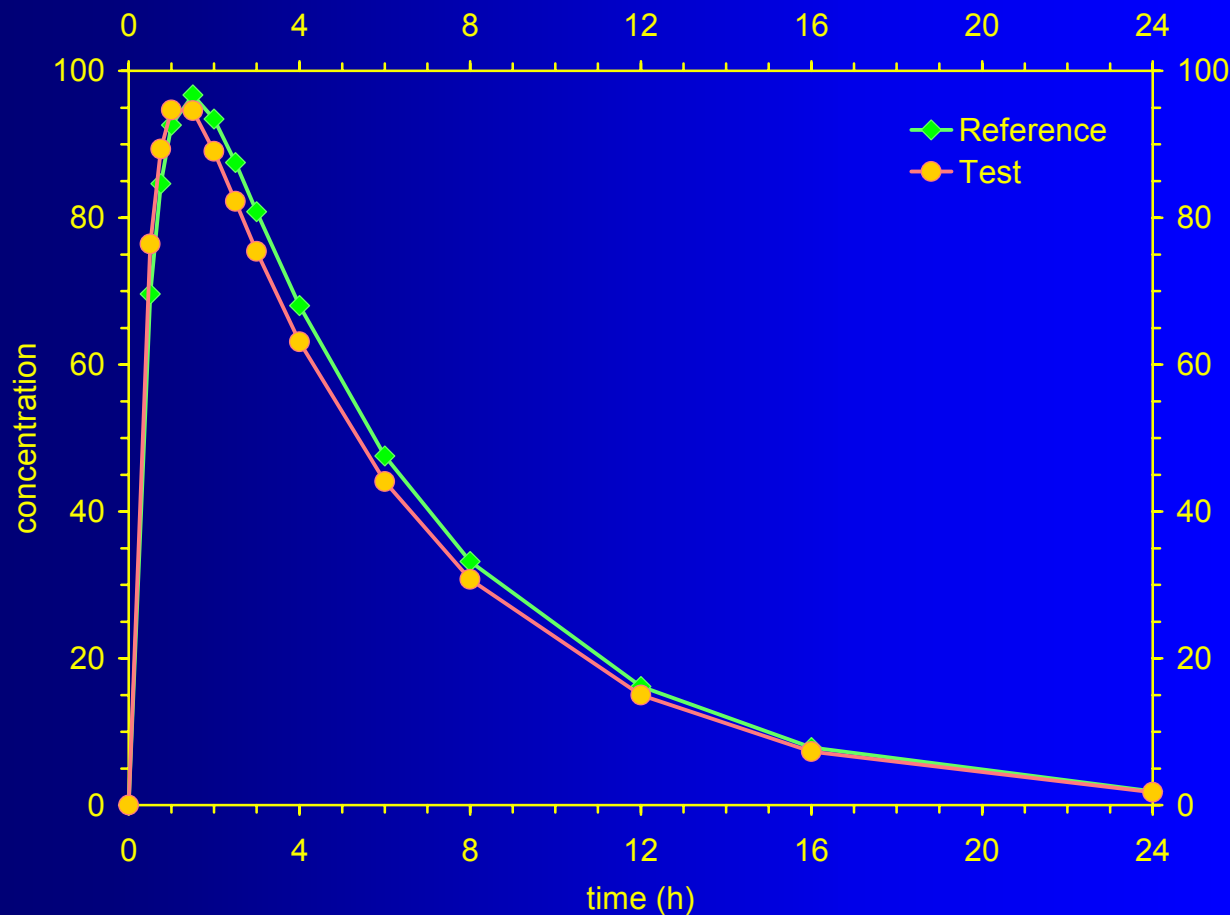
AUC_T 662.9

T/R 95.00%

linear trapezoidal

T/R 94.85%

$AUC_i(R)$ 707.6, $AUC_i(T)$ 670.9, T/R 94.8%, bias -0.20%



Example 1

Model

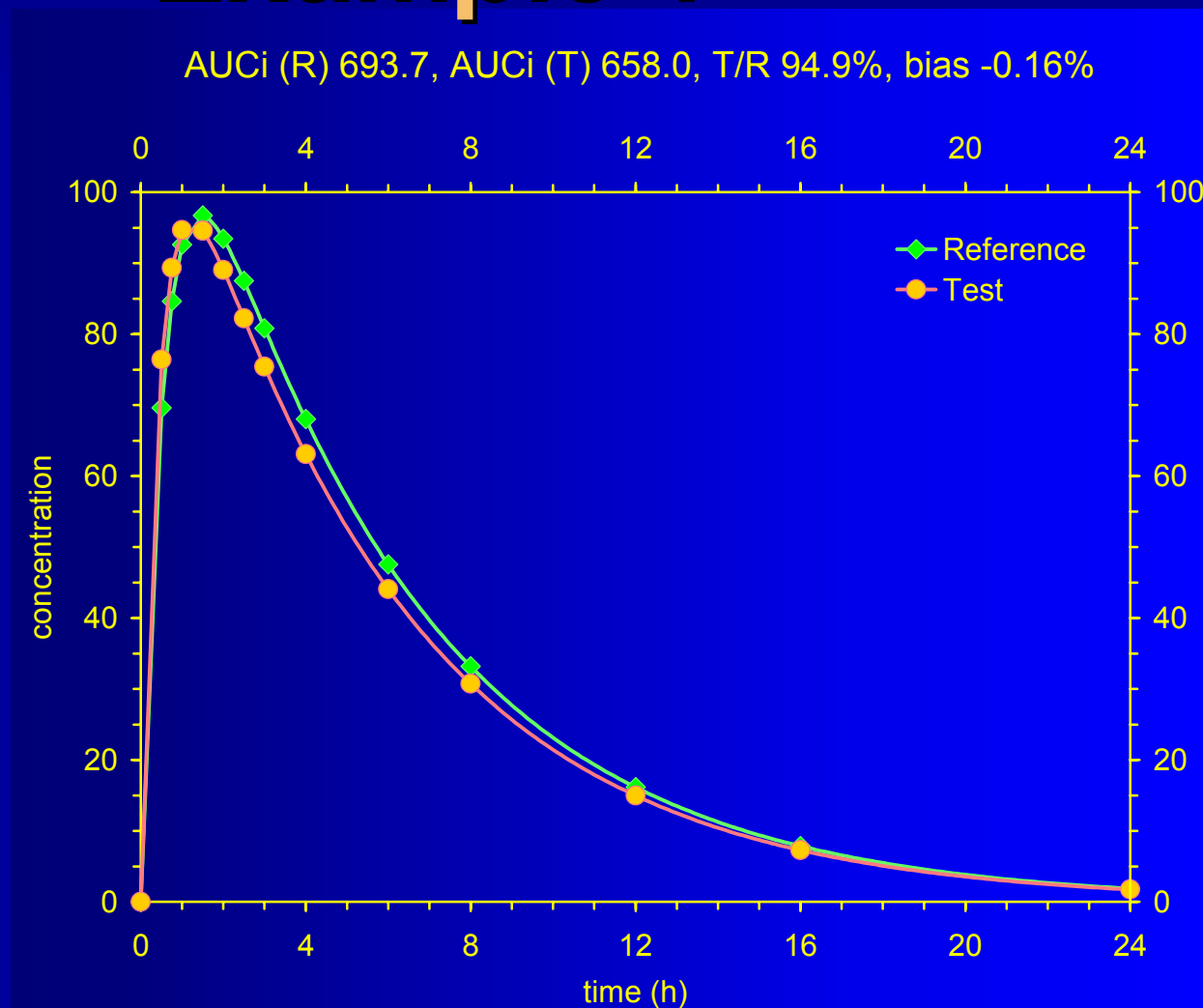
AUC_R 697.8

AUC_T 662.9

T/R 95.00%

lin-up/log-down

T/R 94.89%



Example 2

Model

AUC_R 697.8

AUC_T 662.9

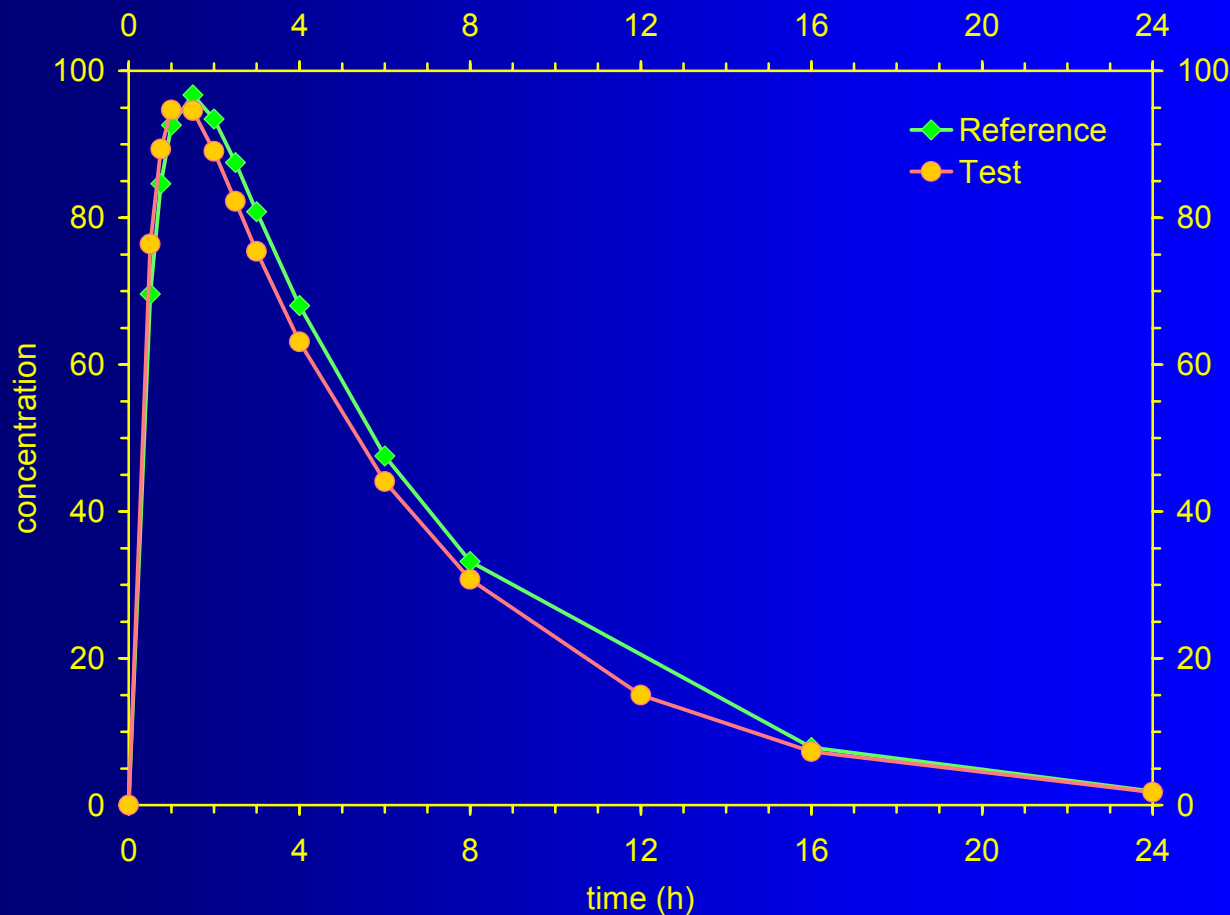
T/R 95.00%

linear trapezoidal

12 h (R) missing

T/R 92.53%

$AUC_i(R)$ 725.1, $AUC_i(T)$ 670.9, T/R 92.5%, bias -2.60%



Example 2

Model

AUC_R 697.8

AUC_T 662.9

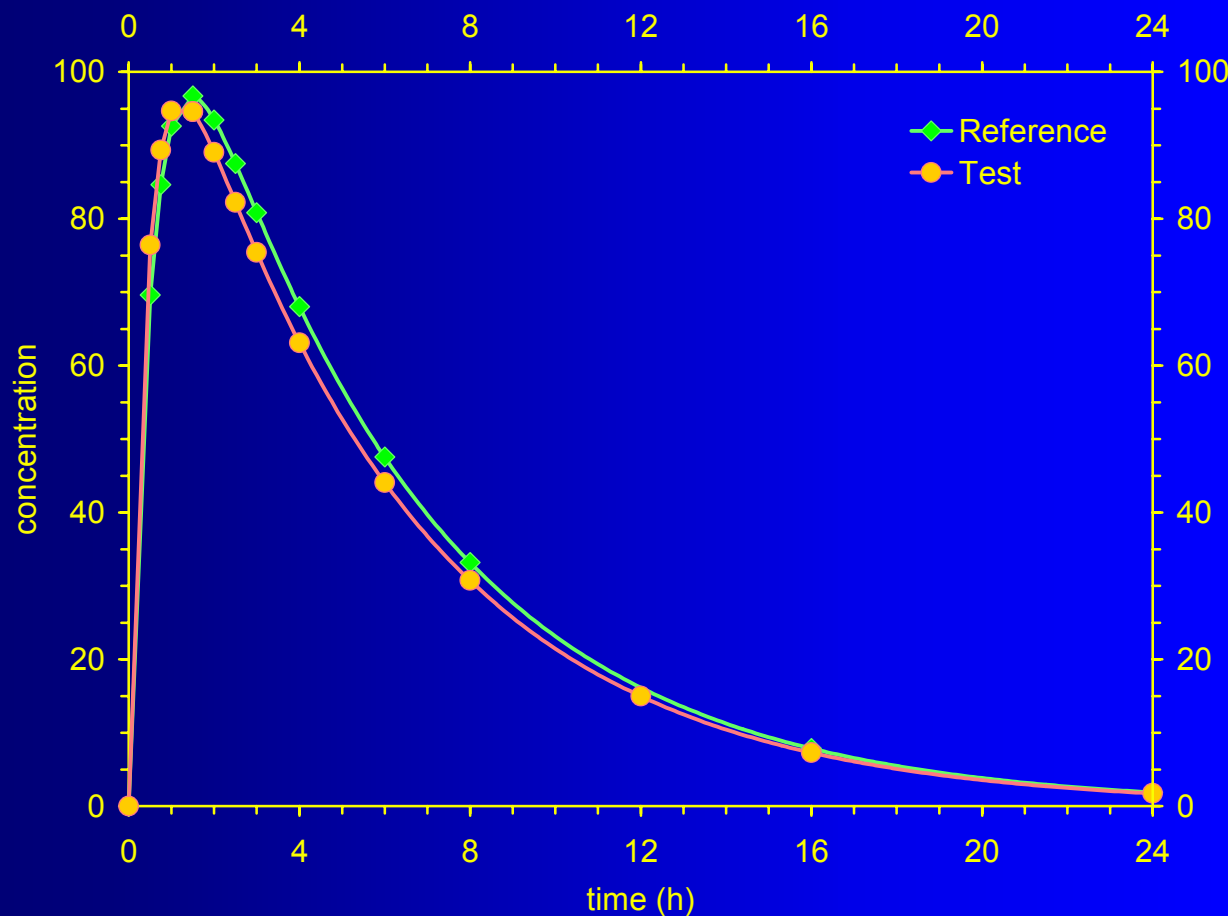
T/R 95.00%

lin-up/log-down

12 h (R) missing

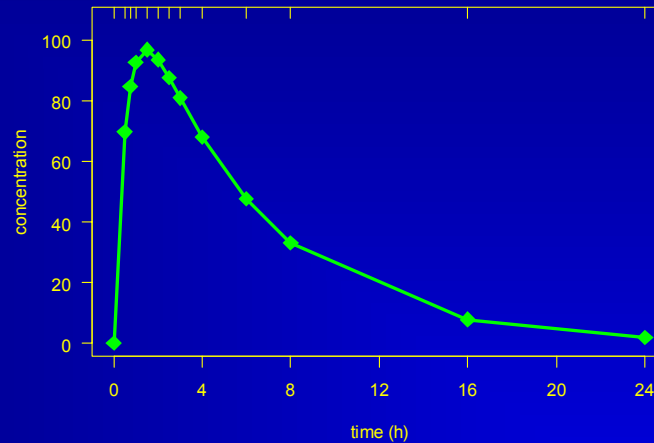
T/R 94.89%

$AUC_i(R)$ 693.7, $AUC_i(T)$ 658.0, T/R 94.9%, bias -0.15%



Spaghetti & other pasta

linear



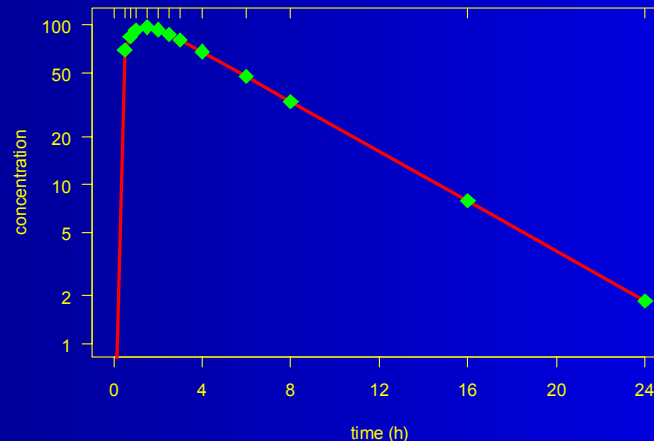
Weired?

Overestimates AUC
in the distribution/
elimination phase...

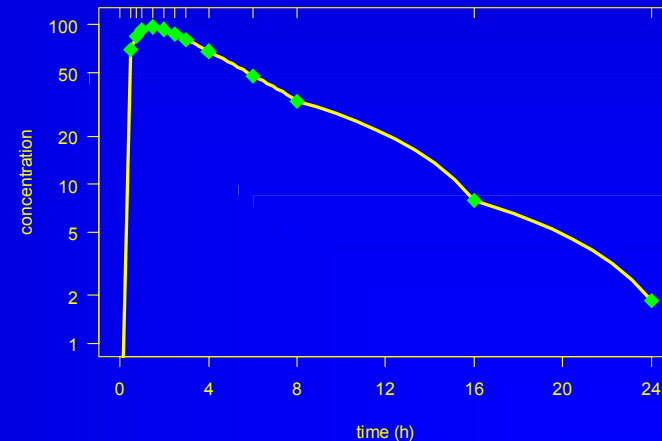
linear trapezoidal

Does the *semi-log plot* reflect the calculation of AUC?

semilogarithmic



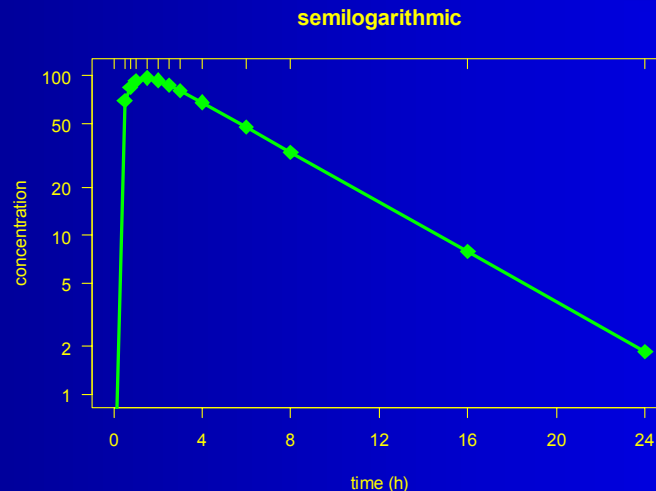
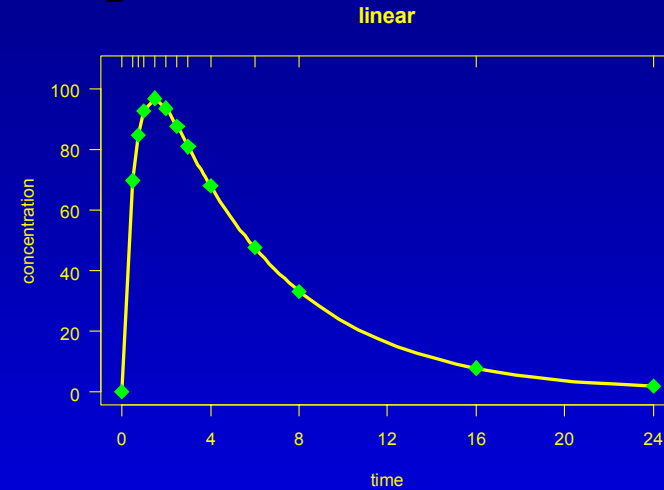
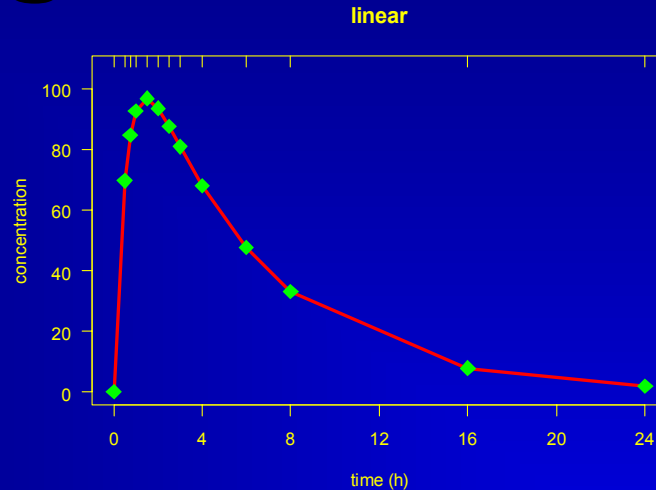
semilogarithmic



Spaghetti & other pasta

lin-up/log-down

Does the *linear plot* reflect the calculation of AUC?



Maybe we should change the way we draw spaghetti plots...

Recommendations

- Don't exclude a subject if only – a few – data points are missing (loss of power)
 - *Only* if linear rule is required for any reason: data imputation
 - Linear within increasing/equal values ($C_{i+1} \geq C_{i-1}$)

$$\hat{C}_i = C_{i-1} + \left| \frac{t_i - t_{i-1}}{t_{i+1} - t_{i-1}} \right| (C_{i+1} - C_{i-1})$$

- Log-linear within decreasing values ($C_{i+1} < C_{i-1}$)

$$\hat{C}_i = e^{\ln C_{i-1} + \left| \frac{t_i - t_{i-1}}{t_{i+1} - t_{i-1}} \right| \ln(C_{i-1}/C_{i+1})}$$

Recommendations

- Don't exclude a subject ... (cont'd)
 - Although I had never problems with this procedure in 500+ BE studies (stated in the protocol, according to SOP, and by validated software) data imputation may be unfamiliar to assessors
 - Lin-up/log-down trapezoidal not affected by missing values and unbiased estimates are obtained

NCA: AUC Extrapolation

● $AUC_{0-\infty}$

- Unweighted log-linear regression of ≥ 3 data points in the elimination phase
- Extrapolation from AUC_{0-t} (regardless the method)

$$AUC_{\infty} = AUC_t + \frac{C_t}{\hat{\lambda}_z} \quad \text{or better} \quad AUC_{\infty} = AUC_t + \frac{\hat{C}_t}{\hat{\lambda}_z}$$

NCA: AUC Extrapolation

- Single dose only!
- Method of estimation of λ_z stated in protocol!

- One-compartment model: ‘TTT’–method*
(Two times t_{max} to t_z)

- Maximum adjusted R^2 (Phoenix/WinNonlin, Kinetica)

$$R_{adj}^2 = 1 - \frac{(1 - R^2) \cdot (n - 1)}{n - 2}$$

WinNonlin ≤ 5.3 : C_{max} included
Phoenix/WNL ≥ 6.0 : C_{max} excluded

- Multi-compartment models: starting point = last inflection
- Minimum AIC: $AIC = n \cdot [\ln(2 \cdot \pi) + 1] + n \cdot \ln(RSS/n) + 2 \cdot p$
- Visual inspection of fit mandatory!

* Scheerans C, Derendorf H, and C Kloft

Proposal for a Standardised Identification of the Mono-Exponential Terminal Phase for Orally Administered Drugs

Biopharm Drug Dispos 29, 145–57 (2008)

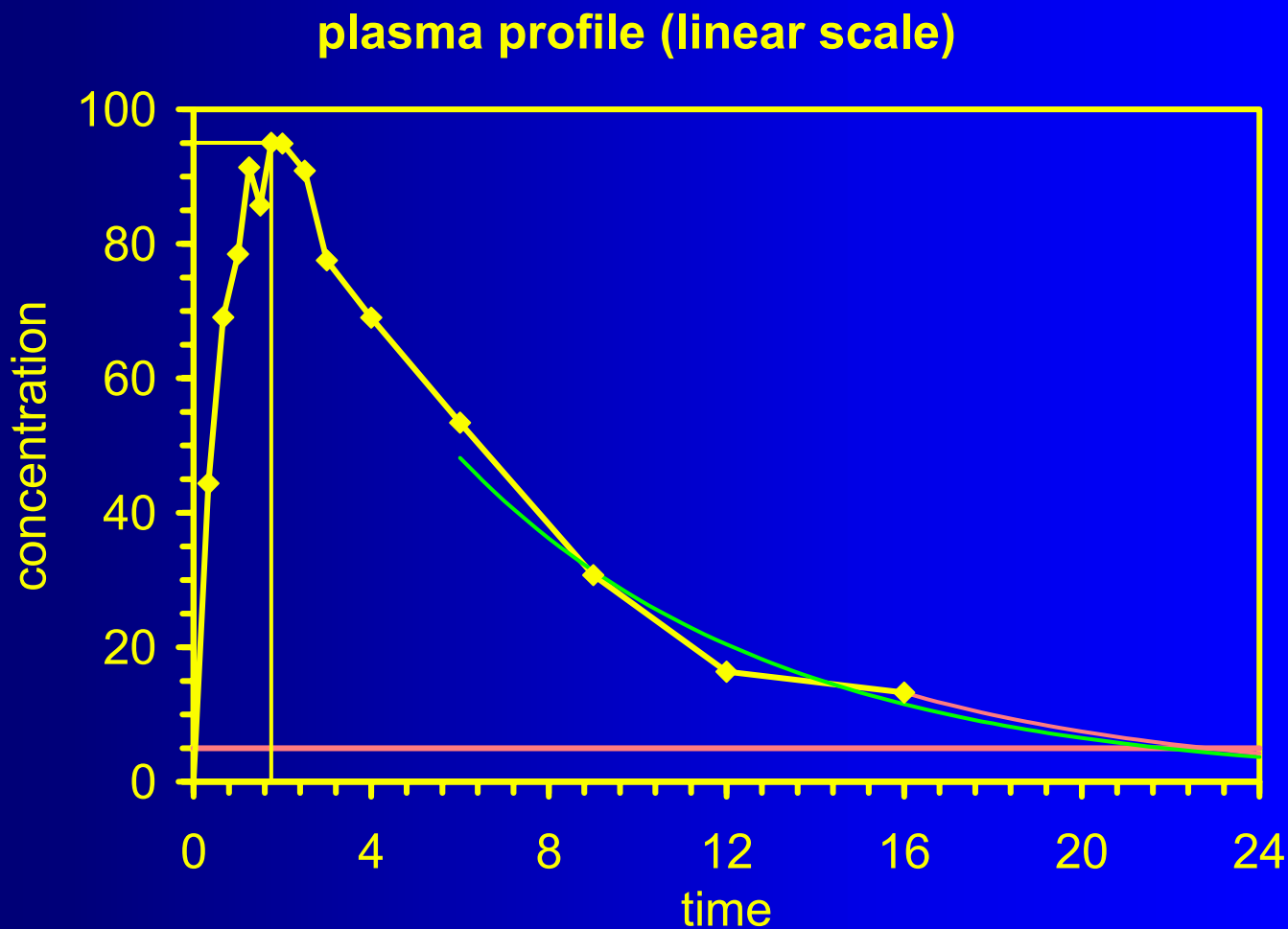
NCA: AUC Extrapolation

● $AUC_{0-\infty}$

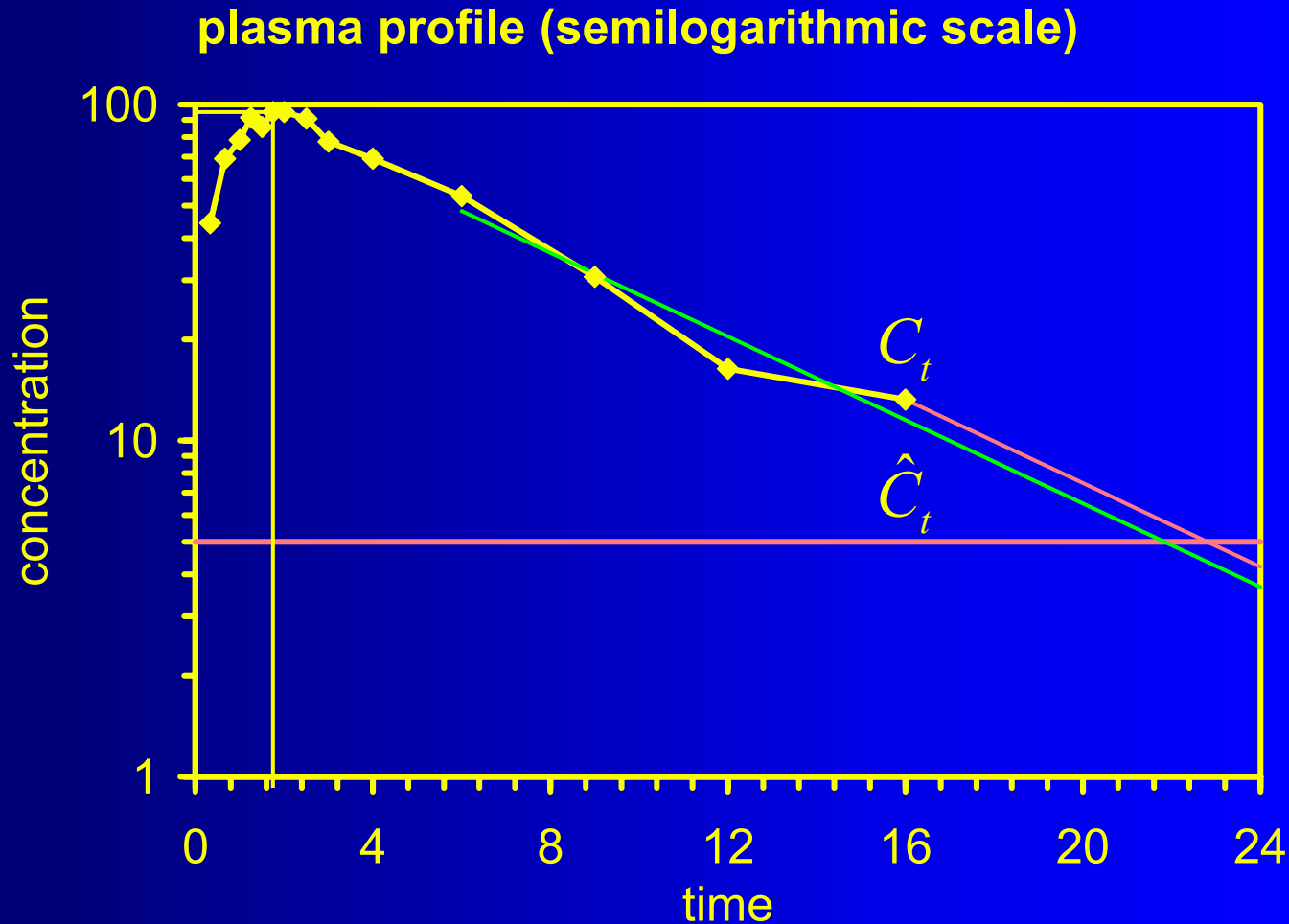
- EMA (and all countries except US and Russia):
No primary PK metric; but demonstrates that AUC_{0-t} is a reliable estimate of extent of absorption (*i.e.*, extrapolated area $\leq 20\%$ of $AUC_{0-\infty}$)
 - FDA: Primary PK metric (*additionally* to AUC_{0-t})
 - What if extrapolated $AUC_{0-t} > 20\%$ of $AUC_{0-\infty}$ in some subjects?
 - EMA: Subjects should not be excluded, but requires discussion if observed in $> 20\%$ of cases
 - Russia: Use $AUC_{0-\infty}$ *instead* of AUC_{0-t} as primary metric of the study



NCA: AUC Extrapolation



NCA: AUC Extrapolation



NCA: other PK Metrics

● Single dose

- C_{max} and t_{max} directly from profile
- Metrics describing the shape of the profile
 - Early exposure (US, CAN): $AUC_{t_{max}} = pAUC$ truncated at population (CAN: subject's) t_{max} of the reference
 - Biphasic MR formulations: $pAUCs$ truncated at a prespecified cut-off time point
 - FDA: Product specific guidances (methylphenidate, zolpidem)
 - EMA: All products

Questions & Answers: positions on specific questions addressed to the pharmacokinetics working party

EMA/618604/2008 Rev. 4 (16 February 2012)

http://www.ema.europa.eu/docs/en_GB/document_library/Scientific_guideline/2009/09/WC50002963.pdf



NCA: other PK Metrics

- Single dose
 - Metrics describing the shape of the profile
 - C_{max}/AUC
 - $t_{75\%}$ (Plateau time: interval where $C(t) \geq 75\%$ of C_{max})*
 - HVD (Half value duration: time interval where $C(t) \geq 50\%$ of C_{max})
 - Occupancy time, $t \geq MIC$ (time interval where $C(t)$ is above some limiting concentration)

* Russia: mandatory for sustained release formulations



NCA: Urine

- Noncompartmental methods (cont'd)
 - Extent of absorption (EU...), total exposure (US):
 Ae_t (cumulative amount excreted); rarely extrapolated to $t = \infty$
 - Rate of absorption, peak exposure (US):
 ΔAe_{max} , $t\Delta Ae_{max}$
 - EMA: C_{max} , t_{max} from plasma!



NCA (Methods)

● Multiple dose

- Calculation of AUC_{τ} (dosage interval τ); $AUC_{ss,24h}$ if more than o.a.d. and chronopharmacological variation)
- No extrapolation!
- $C_{ss,max}$ and $C_{ss,min}$ directly from profile
- Peak-Trough-Fluctuation: $(C_{ss,max} - C_{ss,min}) / C_{ss,av}$, where $C_{ss,av} = AUC_{\tau} / \tau$
- Swing: $(C_{ss,max} - C_{ss,min}) / C_{ss,min}$



NCA (Methods)

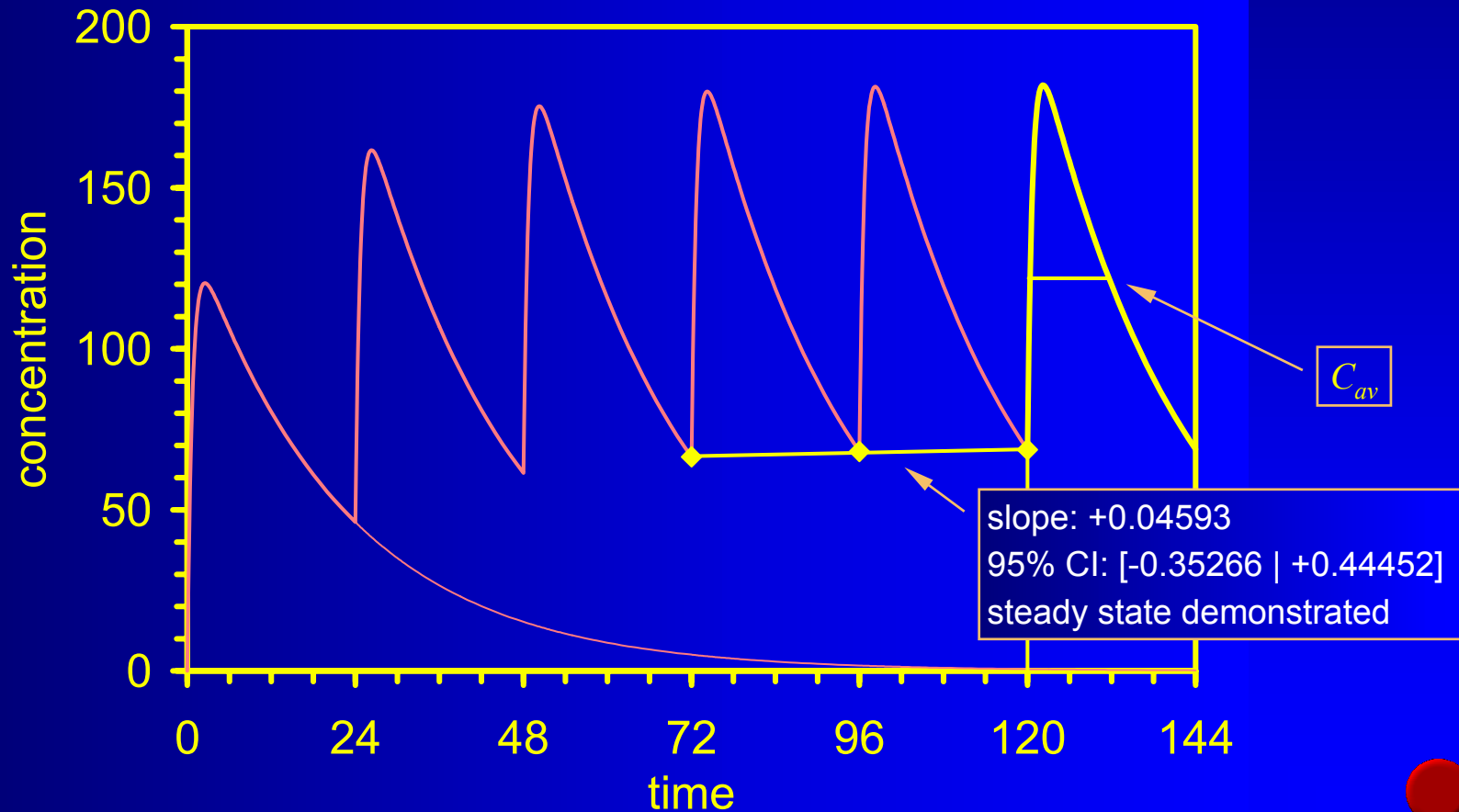
● Multiple dose

- Assessment whether steady state is reached (in a linear PK system: $AUC_{\tau} = AUC_{\infty}$)
 - No recommendations in GLs (except EU/US Veterinary)
 - Not required according to comments to EMA's BE-GL
 - MANOVA-model (sometimes in CAN, rarely used)
 - t -test of last two pre-dose concentrations
 - Hotelling's T^2
 - Linear regression of last three pre-dose concentrations, individually for each subject/treatment
- Only the last method allows the exclusion of subjects being not in steady state. Other methods give only a **yes|no** result!



NCA (Methods)

plasma profile (linear scale)



NCA (Problems)

- C_{min}
 - Defined by EMA as the concentration (C_{trough}) *at the end* of the dosing interval τ
 - Not implemented in PK software: C_{min} global minimum concentration. Requires adaption.
 - More variable than C_{max} (if little accumulation close to LLOQ)
 - EMA requires pre-dose sampling at ≤ -5 min and sampling at $\tau \pm 10$ min
 - Common in *o.a.d.* MD studies last sample at 23:55 in period 1 and at 24:00 in period 2...

NCA (Problems)

- Missing last samples may lead to ‘Apples-and-Oranges’ statistics (biased treatment effect)
- If a reliable estimate of λ_z is possible (≥ 3 data points), we can use an estimate

- \pm shift of C_z according to λ_z^*

$$\hat{C}_{ss,min} = C_z e^{-\hat{\lambda}_z(\tau-t_z)} \quad (1)$$

- or independent from measured C_z

$$\hat{C}_{ss,min} = e^{(\hat{C}_0 - \hat{\lambda}_z \cdot (t_0 + \tau))} \quad (2)$$

* **Gabrielsson J and D Weiner**

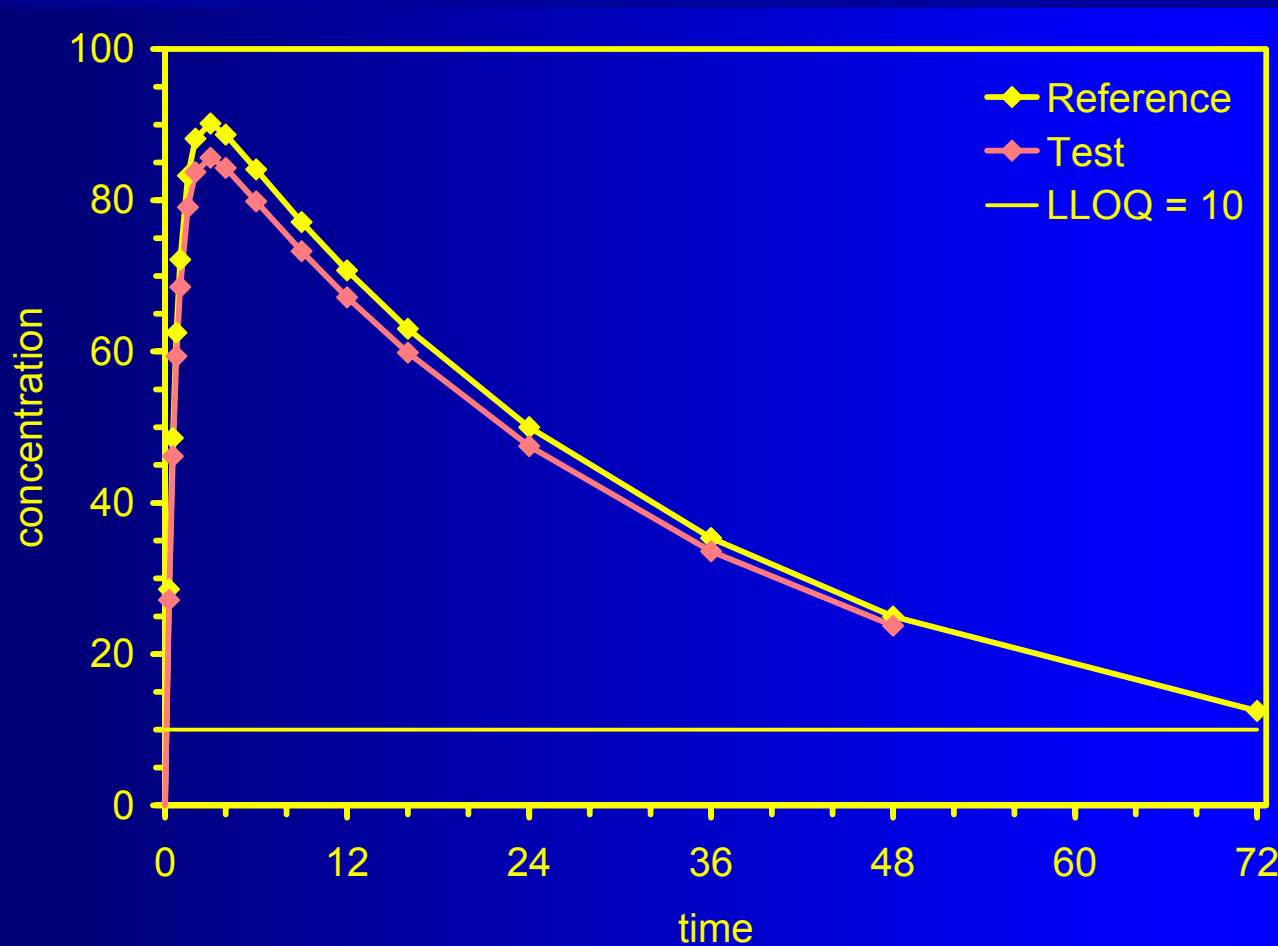
Pharmacokinetic & Pharmacodynamic Data Analysis: Concepts and Applications
Swedish Pharmaceutical Press, Stockholm, p163 (4th ed. 2006)

NCA (Problems)

● Missing values I

- Procedure for imputation must be stated in the protocol; recommended:
 - in the absorption phase ($t < t_{max}$) by **linear Interpolation** of adjacent values
 - in the distribution/elimination phase ($t \geq t_{max}$) by **log/linear Interpolation** of adjacent values
 - imputed value must not be used in estimating λ_z !
- Don't rely on softwares' defaults!
 - Phoenix/WinNonlin interpolates linear – unless the lin-up/log-down trapezoidal method is used
 - Kinetica interpolates lin/log within descending values

NCA (Problems)



NCA (Problems)

● Missing values II

■ Last value of T missing (e.g., vial broken)

■ $AUC_{t_{last}}$ (48) T = 2407

$AUC_{t_{last}}$ (72) R = 2984

T/R = 80.67% **biased!**

■ Using AUC to t where $C \geq LLOQ$ for both formulations (48)

AUC_{48} T = 2534

AUC_{48} R = 2407

T/R = 95% ✓

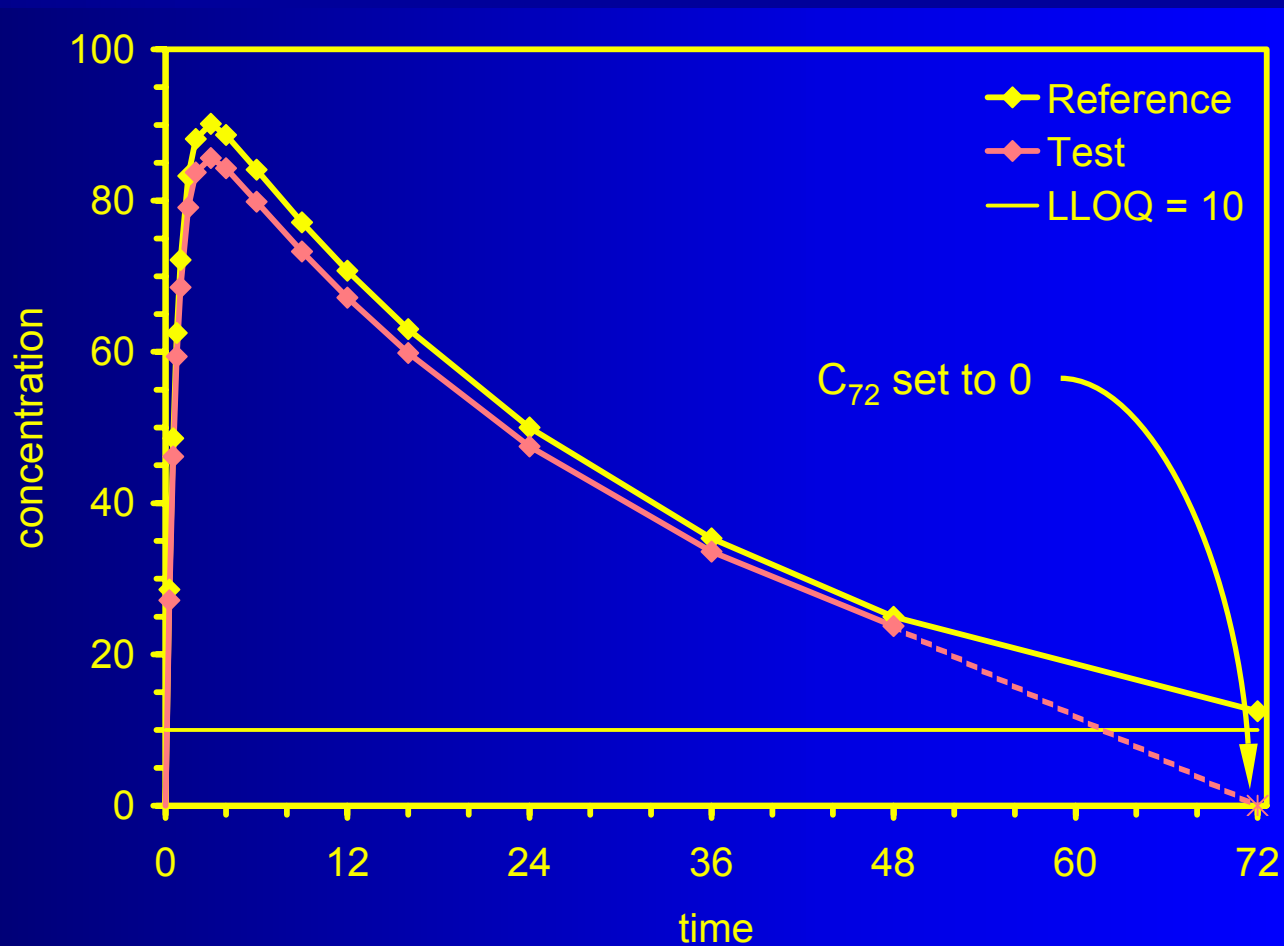
➤ Not available in software

➤ Regulatory acceptance?

time	Reference		Test	
	conc	AUC_{0-t}	conc	AUC_{0-t}
0	BLQ	0	BLQ	0
0.25	28.57	4	27.14	3
0.50	48.57	13	46.14	13
0.75	62.50	27	59.38	26
1.00	72.15	44	68.55	42
1.5	83.26	83	79.10	79
2	88.14	126	83.73	119
3	90.14	215	85.63	204
4	88.70	304	84.26	289
6	84.07	477	79.86	453
9	77.11	719	73.25	683
12	70.71	940	67.18	893
16	63.00	1208	59.85	1147
24	50.00	1660	47.50	1577
36	35.36	2172	33.59	2063
48	25.00	2534	23.75	2407
72	12.50	2984	Missing	NA



NCA (Problems)



NCA (Problems)

● Missing values II

■ Last value of T missing (e.g., vial broken)

- Setting the first concentration in the profile where $C < \text{LLOQ}$ to zero. AUC_{all} , 'invented' by Pharsight

$$AUC_{all} (72) T = 2692$$

$$AUC_{all} (72) R = 2984$$

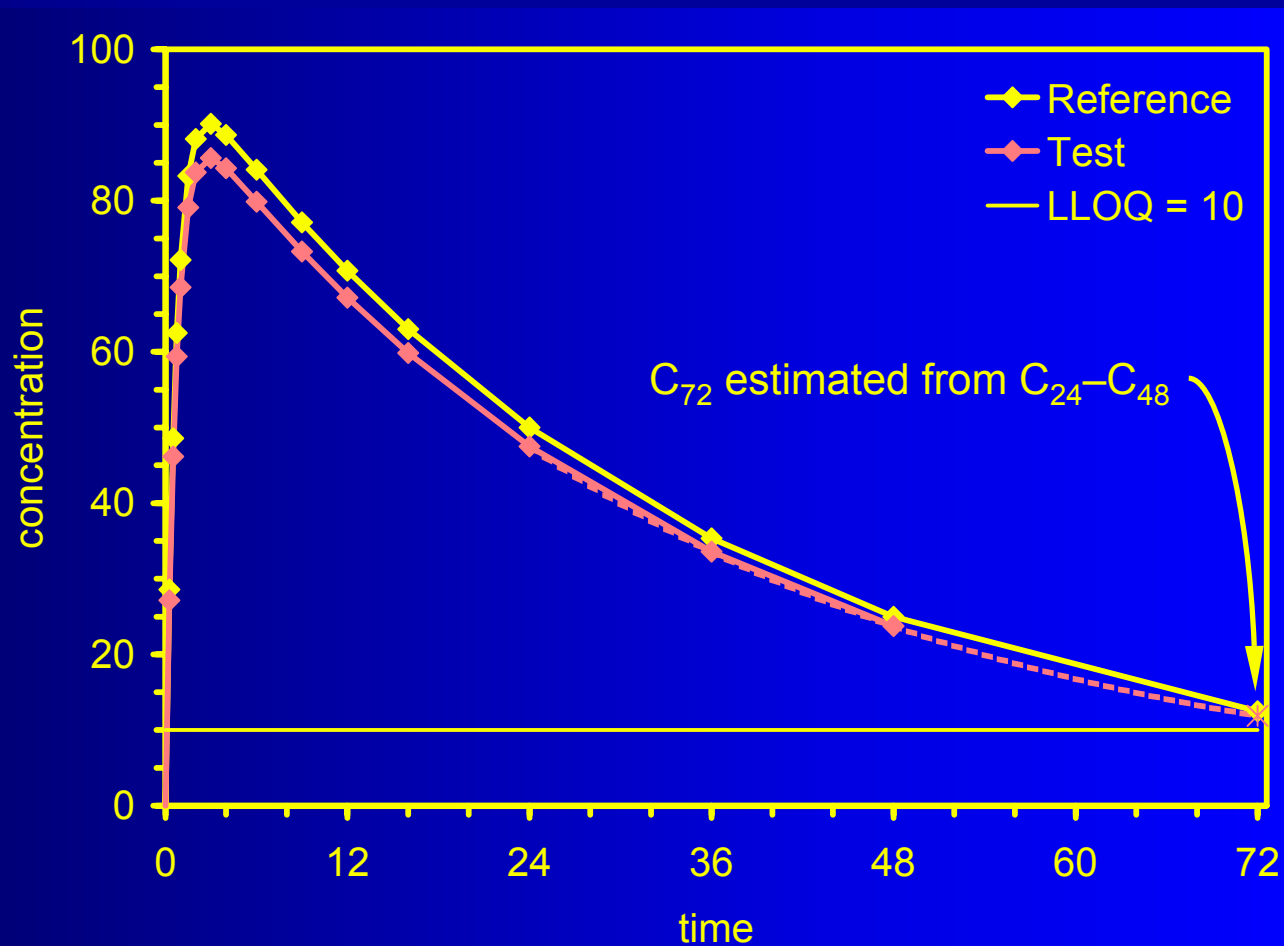
$$T/R = 90.22\% \text{ biased!}$$

- Available in Phoenix / WinNonlin, Kinetica
- Regulatory acceptance?

time	Reference		Test	
	conc	AUC_{0-t}	conc	AUC_{0-t}
0	BLQ	0	BLQ	0
0.25	28.57	4	27.14	3
0.50	48.57	13	46.14	13
0.75	62.50	27	59.38	26
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24	50.00	1660	47.50	1577
36	35.36	2172	33.59	2063
48	25.00	2534	23.75	2407
72	12.50	2984	= *0	2692



NCA (Problems)



NCA (Problems)

● Missing values II

■ Last value of T missing (e.g., vial broken)

- Estimating the missing value from elimination phase.

$$AUC_{72}^* \quad T = 2835$$

$$AUC_{72} \quad R = 2984$$

$$T/R = 95\% \quad \checkmark$$

- Not available in software
- Regulatory acceptance \pm

time	Reference		Test	
	conc	AUC _{0-t}	conc	AUC _{0-t}
0	BLQ	0	BLQ	0
0.25	28.57	4	27.14	3
0.50	48.57	13	46.14	13
0.75	62.50	27	59.38	26
1.00	72.15	44	68.55	42
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24	50.00	1660	47.50	1577
36	35.36	2172	33.59	2063
48	25.00	2534	23.75	2407
72	12.50	2984	*11.88	*2835



NCA (Problems)

● Missing values II

■ Values below the lower limit of quantitation (LLOQ)

- Example as before, but LLOQ = 12.5 (instead 10)

$$AUC_{72}: T = ?, R = 2984$$

$$T/R = ?$$

$$AUC_{48}: T = 2407, R = 2534$$

$$T/R = 95\% \checkmark$$

$$AUC_{all}: T = 2692, R = 2984$$

$$T/R = 90.22\% \text{ biased!}$$

$$AUC_{72*}: T = ?, R = 2984$$

$$T/R = ?$$

	Reference		Test	
time	conc	AUC _{0-t}	conc	AUC _{0-t}
24	50.00	1660	47.50	1577
36	35.36	2172	33.59	2063
48	25.00	2534	23.75	2407
72	12.50	2984	BLQ	NA

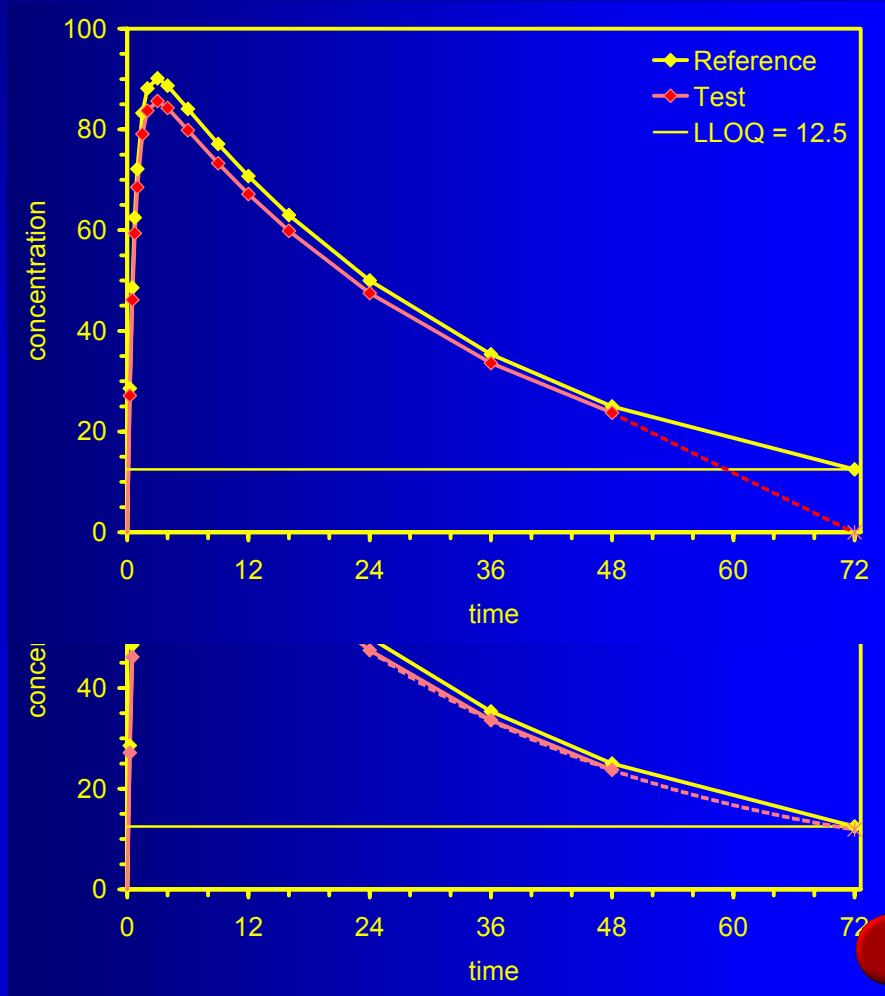
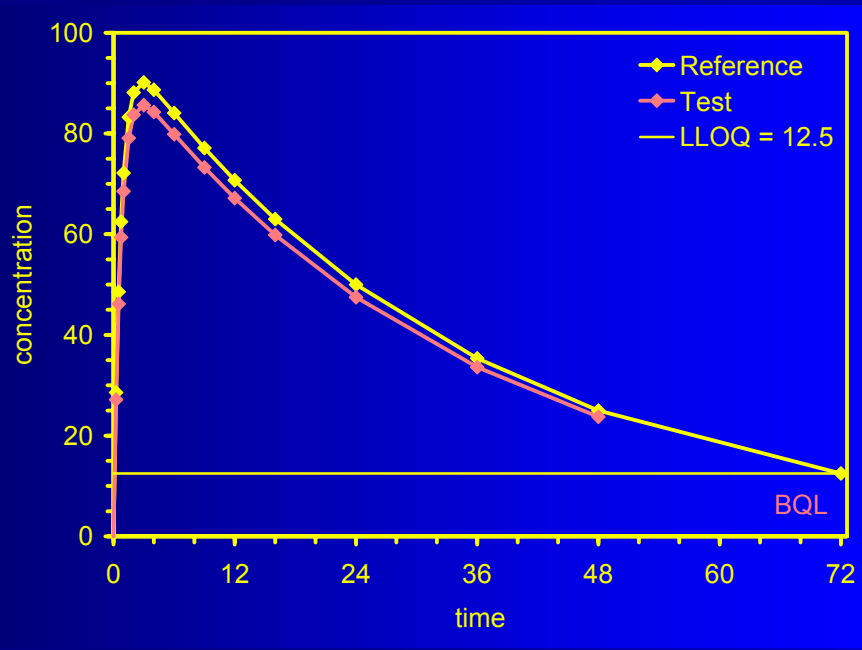
	Reference		Test	
time	conc	AUC _{0-t}	conc	AUC _{0-t}
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36	35.36	2172	33.59	2063
48	25.00	2534	23.75	2407
72	12.50	2984	*11.88	NA



NCA (Problems)

What would you do?



Sampling at C_{max}

- With *any* [sic] given sampling scheme the ‘true’ C_{max} is missed
 - It is extremely unlikely that we sample *exactly* at the true C_{max} for any given subject
 - High inter- and/or intra-subject variability (single point metric)
 - Variability higher than AUC 's
 - In many studies the win/lose metric!
 - Try to decrease variability
 - Increase sample size (more subjects)
 - Increase sampling *within* each subject (*maybe* better)



Sampling at C_{max}

- Theoretical values (from PK simulation)

C_{max} : 41.9/53.5 (81.2%), t_{max} : 6.11/4.02 (Δ 2.09)

samples [2–12h]

n = 4

- C_{max} 78.3%
- t_{max} Δ 4

n = 5

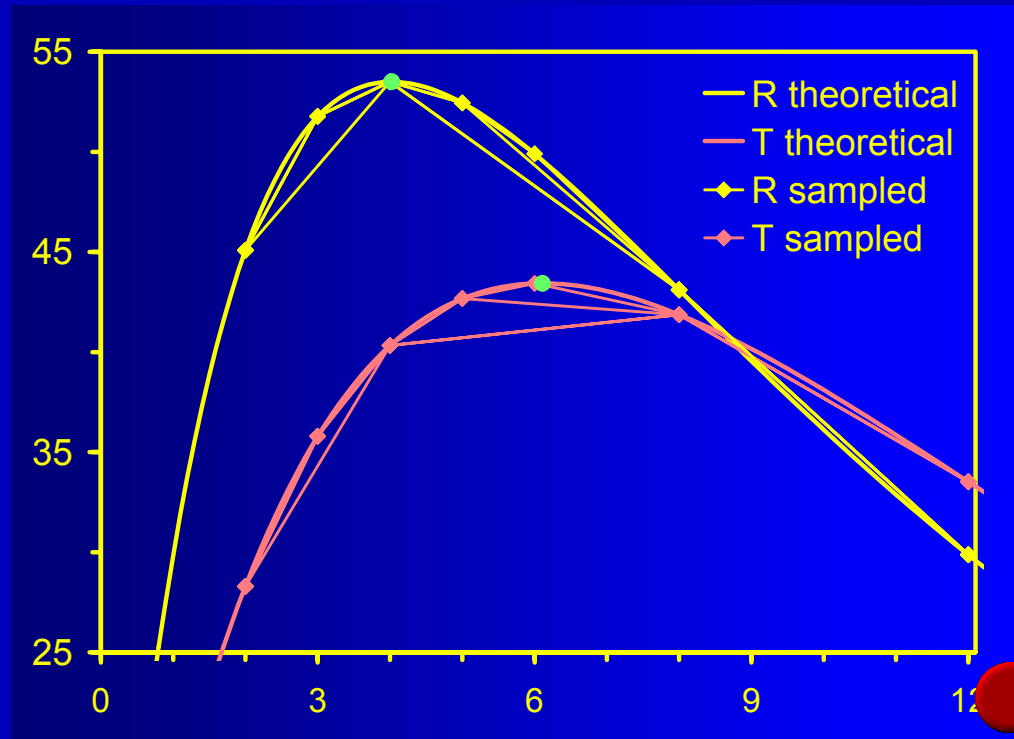
- C_{max} 78.3%
- t_{max} Δ 4

n = 6

- C_{max} 79.8%
- t_{max} Δ 1

n = 7

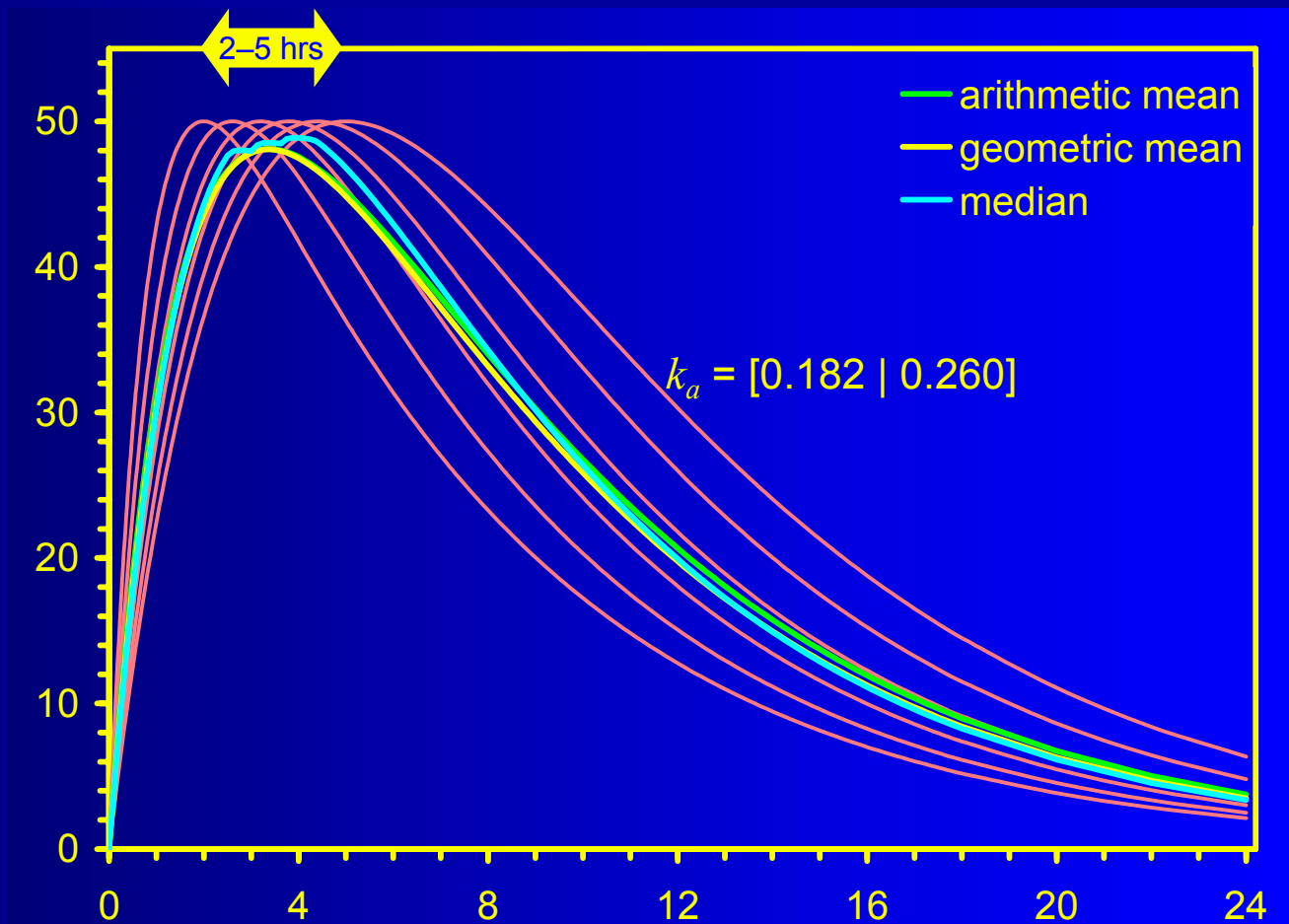
- C_{max} 81.2%
- t_{max} Δ 2



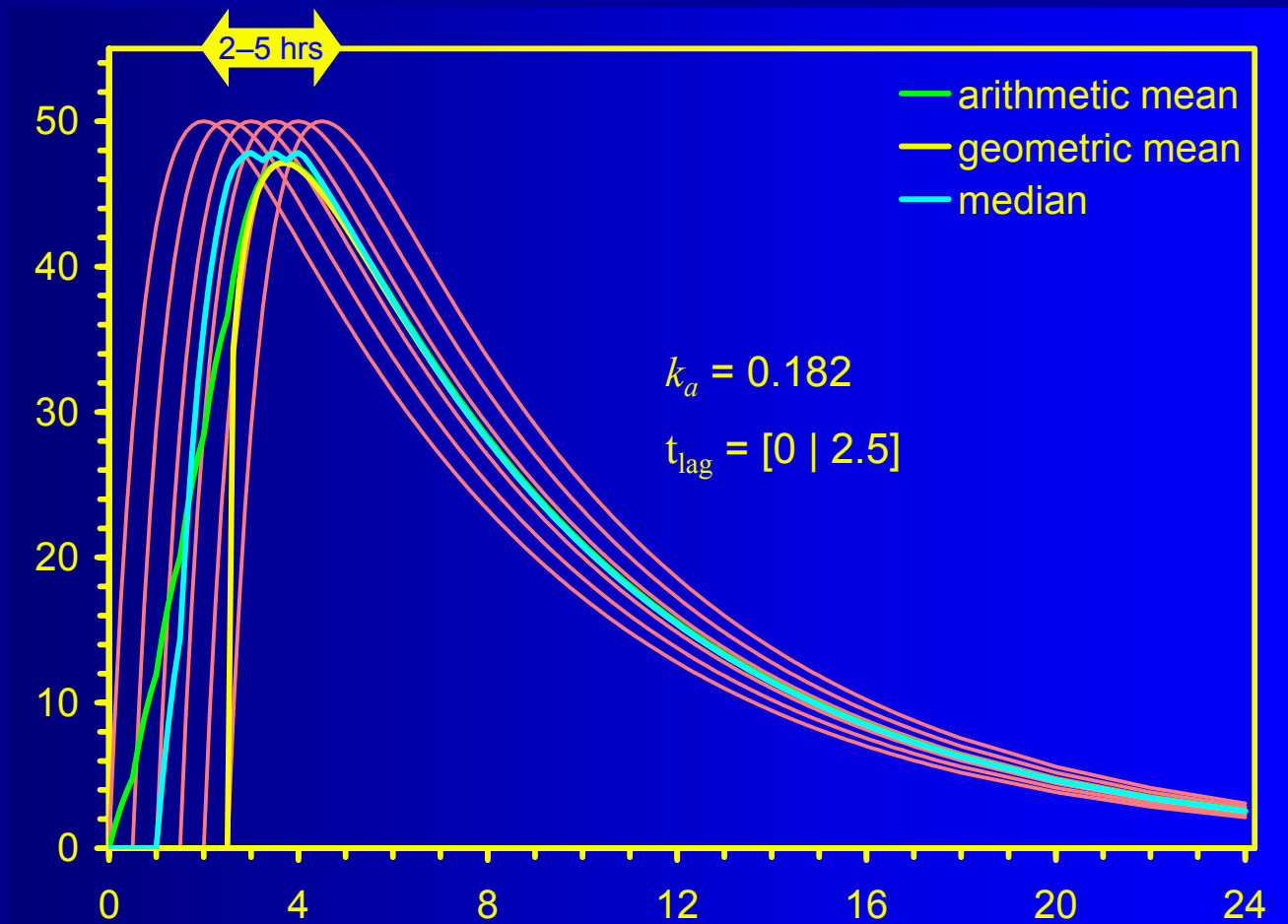
Sampling at C_{max}

- Quote from the literature:
 C_{max} was observed within two to five hours after oral administration...
 - Elimination is drug specific,
 - but what about absorption?
 - **Formulation specific!**
 - Dependent on the sampling schedule (in a strict sense study-specific)

Sampling at C_{max}



Sampling at C_{max}



Another Problem

- EMA GL on BE (2010)
 - Section 4.1.8 Reasons for exclusion 1)
 - A subject with lack of any measurable concentrations or only very low plasma concentrations for **reference medicinal product**. A subject is considered to have very low plasma concentrations if its AUC is less than 5% of reference medicinal product geometric mean AUC (which should be calculated without inclusion of data from the outlying subject). **The exclusion of data [...] will only be accepted in exceptional cases and may question the validity of the trial.**

Remark: Only possible after unblinding!



Another Problem

- EMA GL on BE (2010)
 - Section 4.1.8 Reasons for exclusion 1) cont'd
 - The above can, for immediate release formulations, be the result of subject non-compliance [...] and should as far as possible be avoided by mouth check of subjects after intake of study medication to ensure the subjects have swallowed the study medication [...]. The samples from subjects excluded from the statistical analysis should still be assayed and the results listed.



Another Problem

- Gastro-resistant (enteric coated) preparations
 - Gastric emptying of single unit dosage forms non-disintegrating in the stomach is prolonged and highly erratic. The consequences of this effect on the enteric coating of delayed release formulations are largely unpredictable.
 - Sampling period should be designed such that measurable concentrations are obtained, taking into consideration not only the half-life of the drug but the possible occurrence of this effect as well. This should reduce the risk of obtaining incomplete concentration-time profiles due to delay to the most possible extent. These effects are highly dependent on individual behaviour.

Another Problem

- Gastro-resistant (enteric coated) preparations
 - Therefore, but only under the conditions that sampling times are designed to identify very delayed absorption and that the incidence of this outlier behaviour is observed with a comparable frequency in both, test and reference products, these incomplete profiles can be excluded from statistical analysis provided that it has been considered in the study protocol.

EMA, CHMP (EWP-PK)

Questions & Answers: positions on specific questions addressed to the pharmacokinetics working party

EMA/618604/2008 Rev. 4 (16 February 2012)

http://www.ema.europa.eu/docs/en_GB/document_library/Scientific_guideline/2009/09/WC500002963.pdf

What is 'comparable'? For a study in 24 subjects, we get a significant difference for 5/0 (Fisher's exact test: p 0.0496).

t_{lag} – a ‘nasty’ PK Metric

- Only relevant for delayed release (gastric resistant) formulations
- Highly variable – mainly not due to the formulation but the intrinsic variability in gastric emptying
- Less variability for multiparticulate formulations than for monolithic ones, but still problematic
- Sampling schedule difficult to design
- Assessment (descriptive vs. nonparametric)?

t_{lag} – a ‘nasty’ PK Metric

- Little is published about calculation; five methods assessed*
- Commercial software (Phoenix/WinNonlin, Kinetica) treat t_{lag} as the time point prior to the first measurable (non-zero) concentration
- Other methods require programming skills; some of them might be judged by assessors already borderline PK models (?!)

* **Csizmadia F and L Endrenyi**

Model-Independent Estimation of Lag Times with First-Order Absorption and Disposition

J Pharmaceut Sci 87(5), 608–12 (1998)

t_{lag} – a ‘nasty’ PK Metric

- Is t_{lag} *really* clinically relevant – even for formulations where rapid onset of effects is of importance?
- If two formulations follow identical pharmacokinetics *except* t_{lag} , this difference is reflected in t_{max} as well (both in SD and MD)

t_{lag} VS. t_{max}

● Single dose

- DR, flip flop PK; V 10, D 100, F 100%,

$$k \ 0.09902 \text{ h}^{-1}$$

$$t_{lag} \ 1 \text{ h (R), } 4 \text{ h (T)}$$

$$t_{max} \ 11.1 \text{ h (R),}$$

$$14.1 \text{ h (T)}$$

$$C_{max} \ 3.68 \text{ (R\&T)}$$

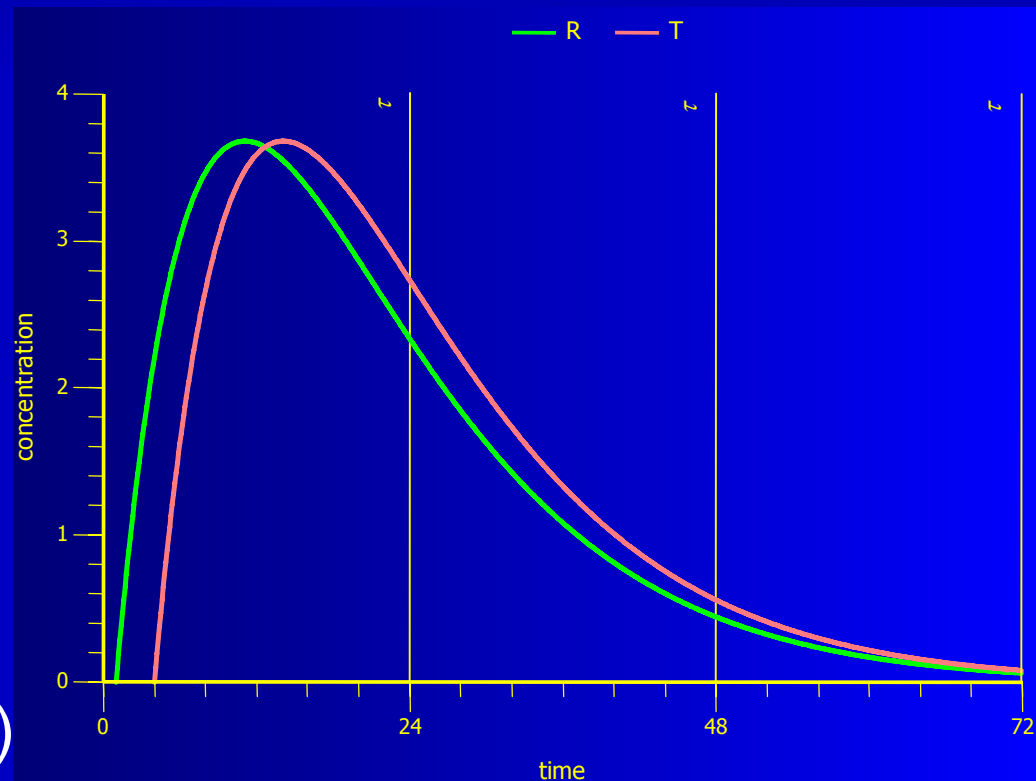
$$C_{\tau} \ 2.335 \text{ (R),}$$

$$2.733 \text{ (T)}$$

$$AUC_{0-\tau} \ 67.0 \text{ (R)}$$

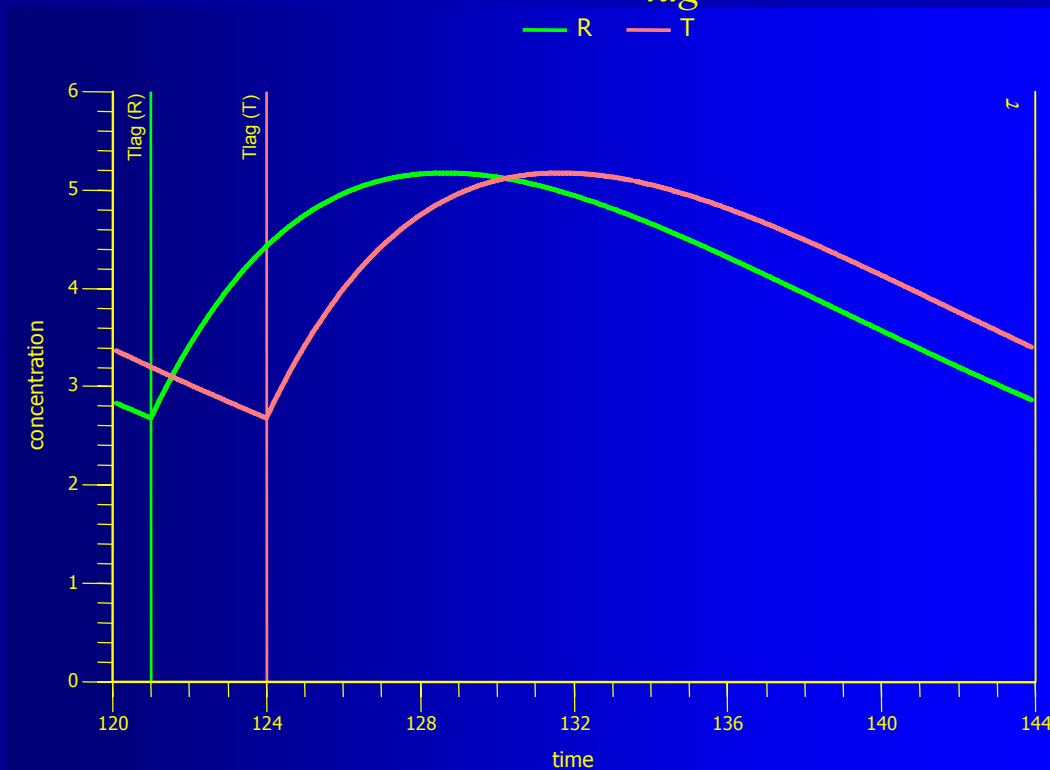
$$59.4 \text{ (T)}$$

$$AUC_{0-\infty} \ 101.0 \text{ (R\&T)}$$



t_{lag} VS. t_{max}

- Simulation of steady state (τ 24 h; 6 d $\approx 20 \times t_{1/2}$)
 - Formulations differ in t_{lag} only!

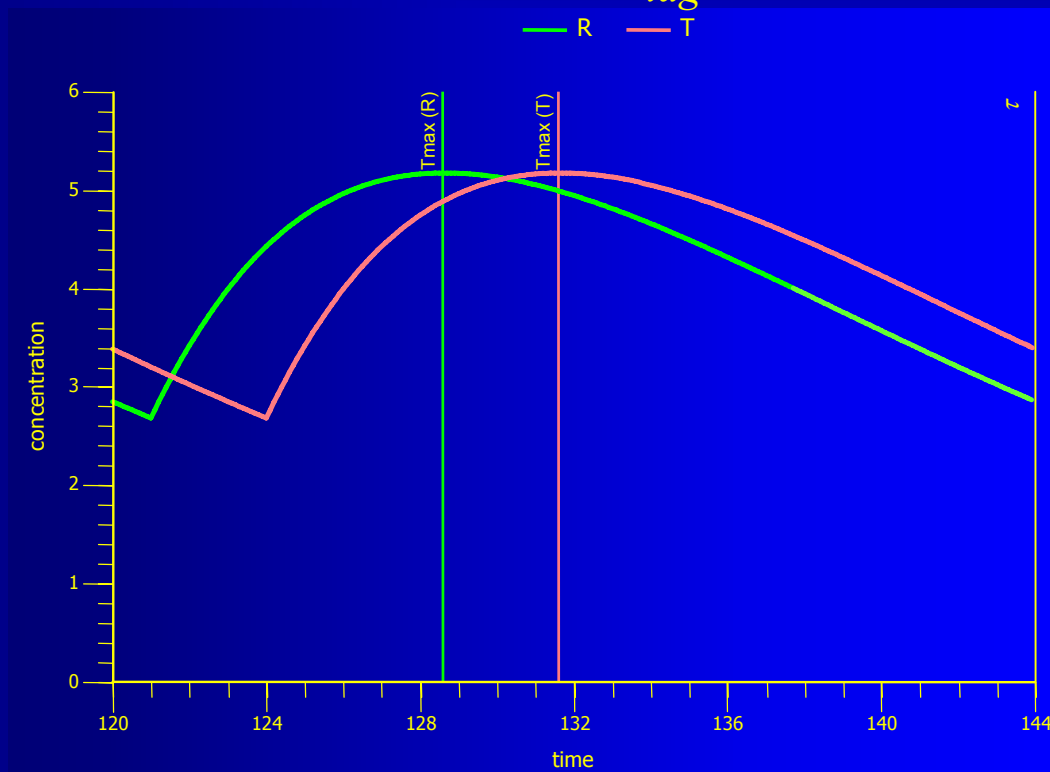


- t_{lag} is discriminatory:

T	4
R	1
T - R	+3
- Might be difficult to measure; frequent sampling required
- Nonparametric statistics (EMA!)

t_{lag} VS. t_{max}

- Simulation of steady state (τ 24 h; 6 d $\approx 20 \times t_{1/2}$)
 - Formulations differ in t_{lag} only! Surrogate possible?



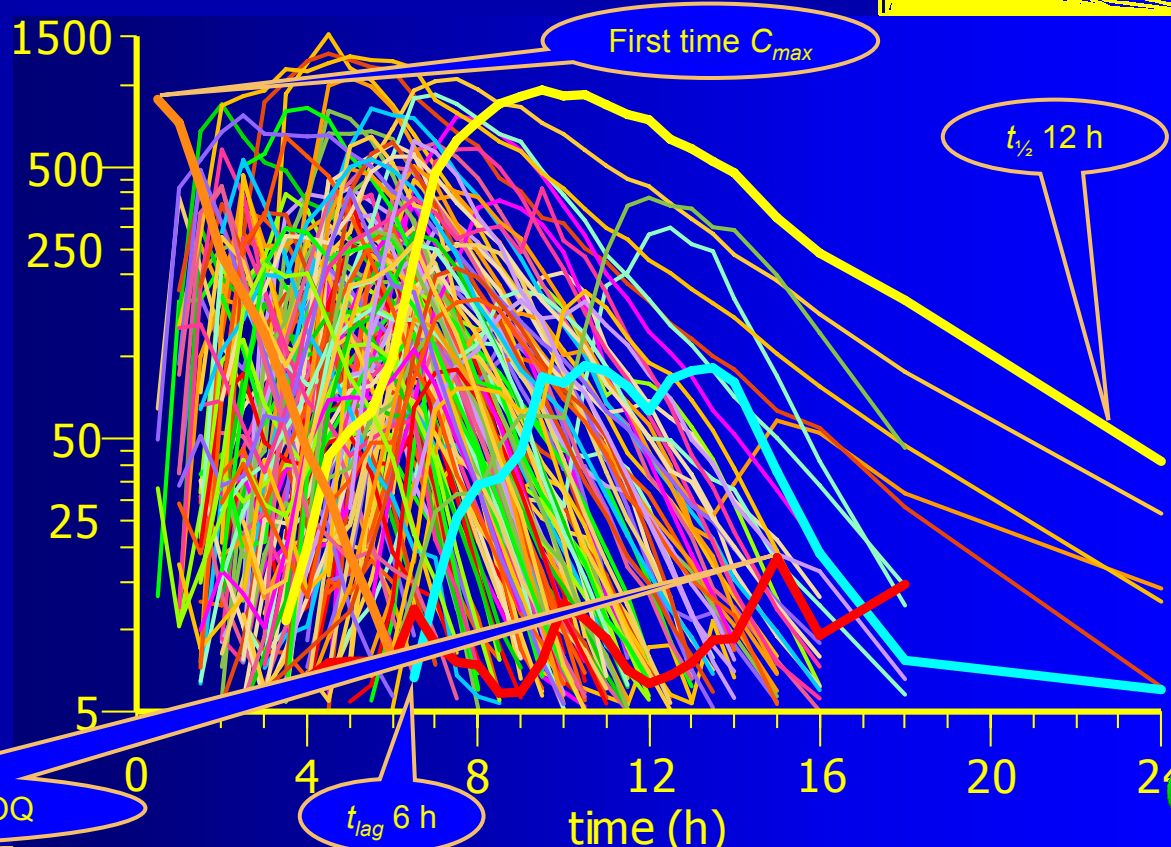
- t_{max} is discriminatory as well:

T	14.1
R	11.1
T - R	+3
- Maybe better; frequent sampling in the area of C_{max} common
- Nonparametric statistics (EMA!)

Case Study (PPI 1)

● Attempt to deal with high variability

Powered to 90% according to CV from previous studies; 140 (!) subjects and to 80% for expected dropout rate. Sampling every 30 min up to 14 hours (7,785 total)



Case Study (PPI 2)

- Submission in China

AUC_t 87.60, 95.53%

C_{max} 75.39, 91.84%

t_{max} +0.500, +1.333

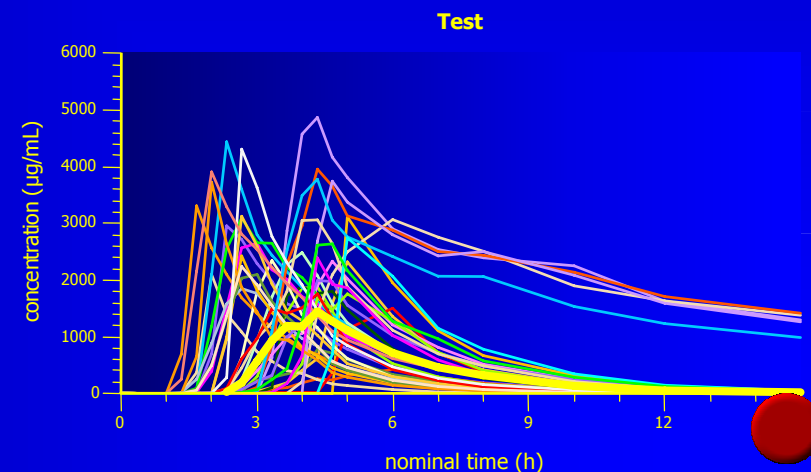
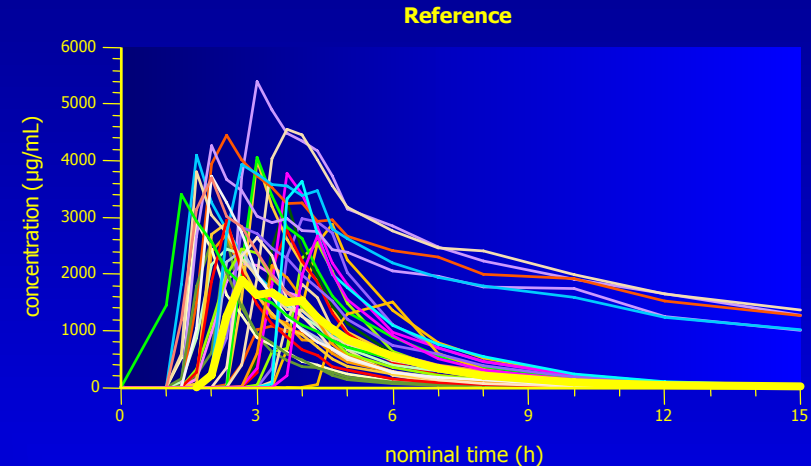
significantly delayed

(CI does not contain zero)

- Company's defending argument: highly variable GI-transit manifested

in t_{lag}

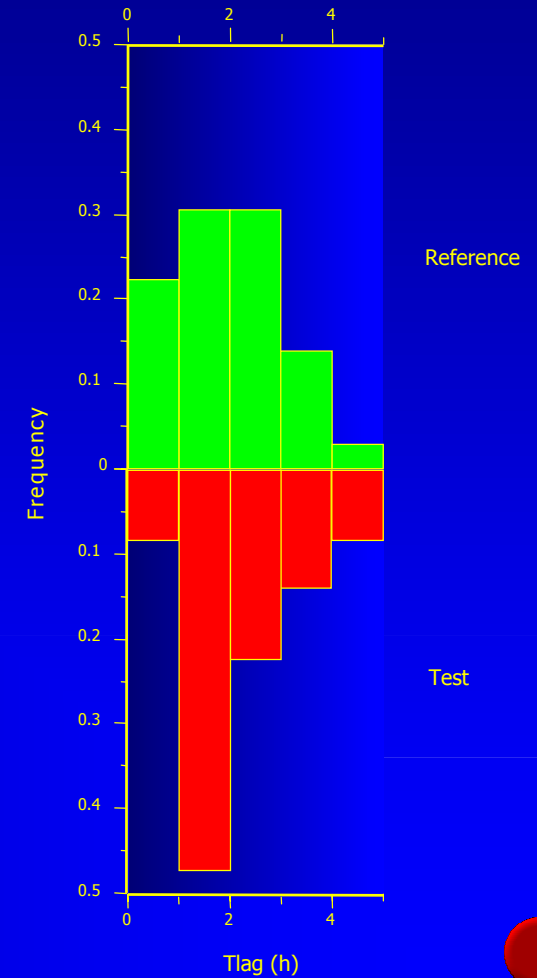
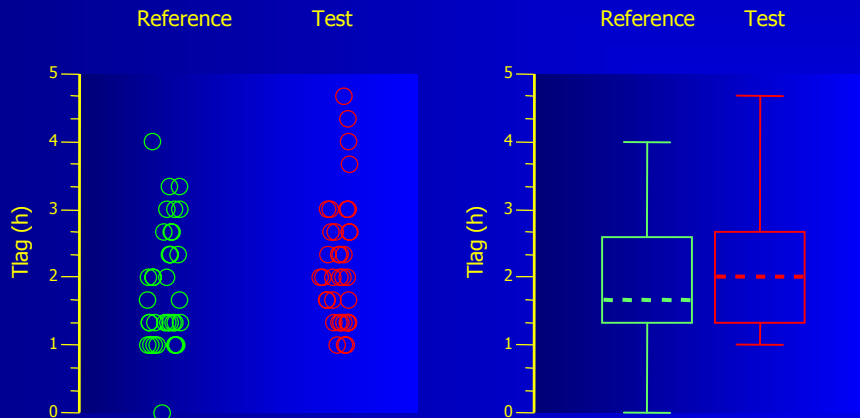
- Let's see...



Case Study (PPI 2)

● Analysis

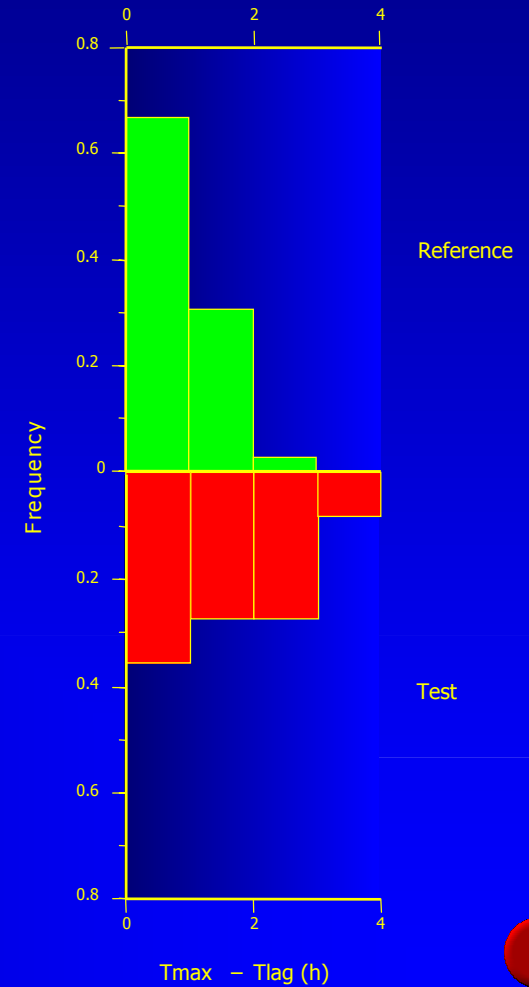
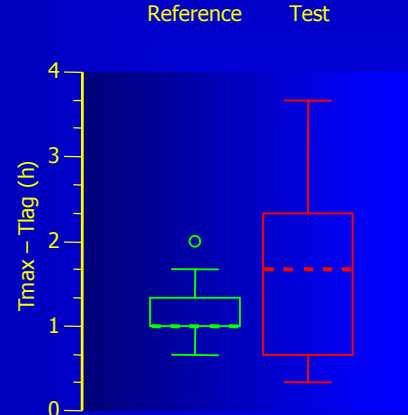
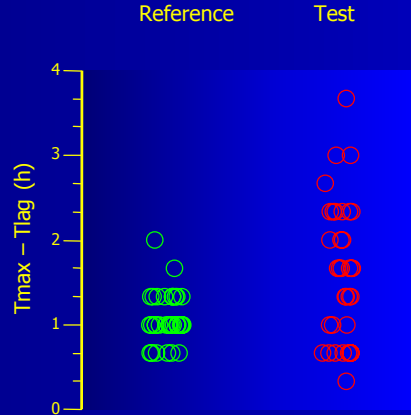
t_{lag} ± 0.000 , $+0.667$
 not different (but borderline)



Case Study (PPI 2)

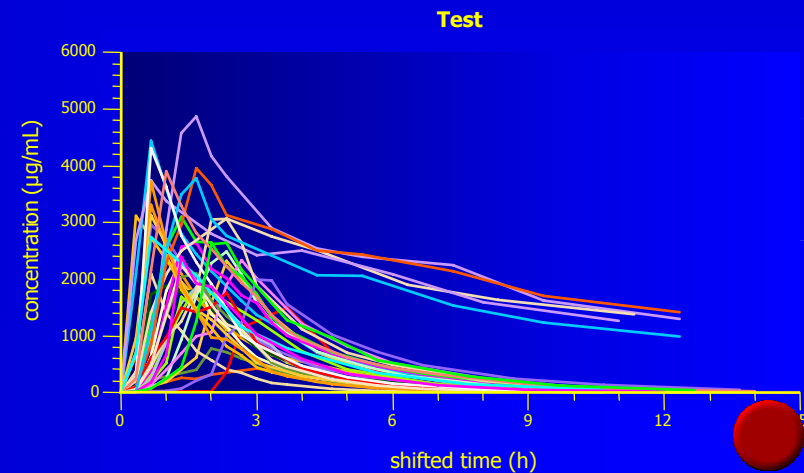
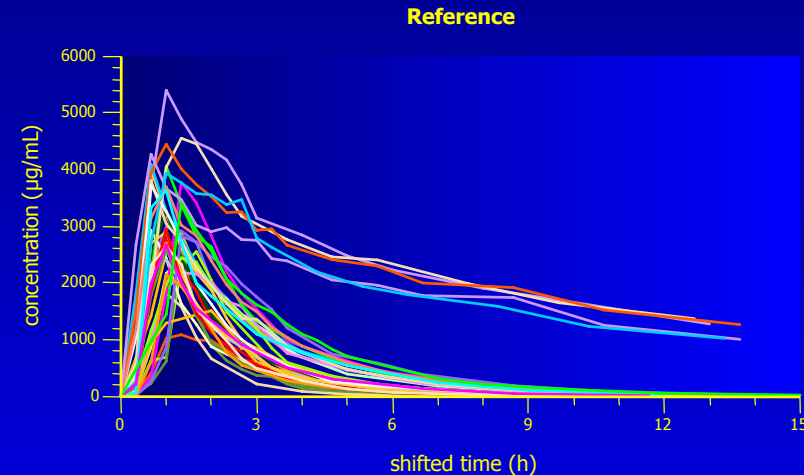
● Analysis

$t_{max} - t_{lag}$ +0.167, +0.667
 significantly delayed
 (0 not within CI)



Case Study (PPI 2)

- Assessment
 - Although there was no significant difference in t_{lag} , the 'corrected' $t_{max} - t_{lag}$ was significantly delayed
 - Variability of the test formulation was higher
 - It seems that the company's assumption does not hold – formulations differ
 - Clinical relevance?



Half lives

- Drug specific, *but...*
 - The *apparent* elimination represents the *slowest* rate constant (controlled release, topicals, transdermals) – not necessarily elimination!
 - Avoid the term ‘terminal elimination’ – might not be true
 - Important in designing studies
 - To meet $AUC_t \geq 80\% AUC_\infty$ criterion
 - To plan sufficiently long wash-out (avoid carry-over)
 - To plan saturation phase for steady state

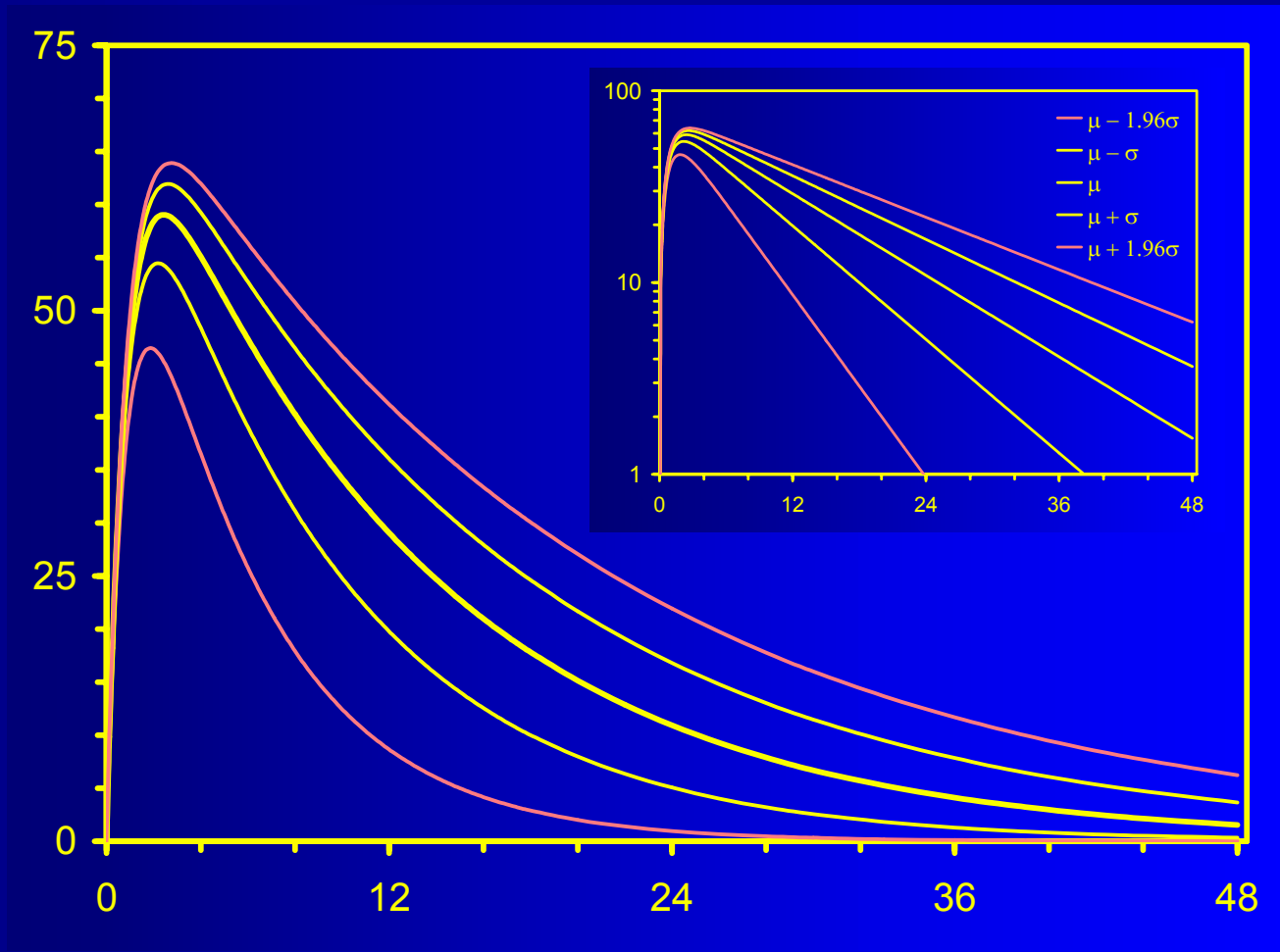


Half lives

- Dealing with literature data
 - What if only mean \pm SD is given?
 - Assuming normal distribution:
 $\mu \pm \sigma$ covers 68.27% of values (15.87% of values are expected to lie outside of $\mu \pm \sigma$)
 - Example: 8.5 ± 2.4 hours, 36 subjects.
 $0.1587 \times 36 = 5.71$ or in at least five subjects we may expect a half life of > 10.9 hours.
 - Plan for 95% coverage ($z_{0.95} = 1.96$): $p_{0.95} = \mu \pm z_{0.95} \times \sigma$
 $8.5 \pm 1.96 \times 2.4 = [3.80, 13.2]$ hours.
We may expect a half life of >13.2 hours in \sim one subject ($0.05/2 \times 36 = 0.90$).



Half lives



Thank You!

Pharmacokinetic Analysis of BE Data

Open Questions?



Helmut Schütz

BEBAC

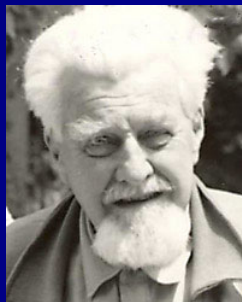
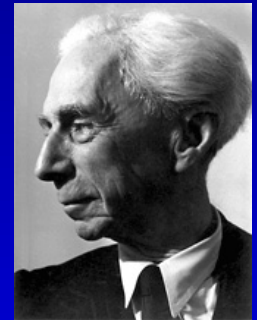
Consultancy Services for
Bioequivalence and Bioavailability Studies

1070 Vienna, Austria

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To bear in Remembrance...

The fundamental cause of trouble in the world today is that the stupid are cocksure while the intelligent are full of doubt. *Bertrand Russell*



It is a good morning exercise for a research scientist to discard a pet hypothesis every day before breakfast. It keeps him young. *Konrad Lorenz*

Konrad Lorenz

If you shut your door to all errors truth will be shut out.

Rabindranath Tagore

